



Mapping the drivers of parasitic weed abundance at a national scale- a new approach applied to *Striga asiatica*

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1 **Title: Mapping the drivers of parasitic weed abundance at a national scale: a new**
2 **approach applied to *Striga asiatica***

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12 **Running head:** *Mapping the drivers of Striga abundance at a national scale*

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22 **Summary**

23

24 The parasitic weed genus *Striga* causes huge losses to crop production in sub-Saharan Africa,
25 estimated as being in excess of \$7 billion per year. There is a paucity of reliable distribution
26 data for *Striga*, however such data are urgently needed to understand current drivers, better
27 target control efforts, as well as to predict future risks. To address this we developed a
28 methodology to enable rapid, large-scale monitoring of *Striga* populations. We used this
29 approach to uncover the factors that currently drive the abundance and distribution of *Striga*
30 *asiatica* in Madagascar. Two long-distance transects were established across the middle-west
31 region of Madagascar in which *Striga asiatica* abundance in fields adjacent to the road was
32 estimated. Management, crop structure and soil data were also collected. Analysis of the data
33 suggests that crop variety, companion crop and previous crop were correlated with *Striga*
34 density. A positive relationship between within field *Striga* density and the density of the
35 nearest neighbouring fields indicates that spatial configuration and connectivity of suitable
36 habitats is also important in determining *Striga* spread. Our results demonstrate that we are
37 able to capture distribution and management data for *Striga* density at a landscape scale and
38 use this to understand the ecological and agronomic drivers of abundance. The importance of
39 crop varieties and cropping patterns is significant, as these are key socio-economic elements
40 of Malagasy cropping practices. Therefore, they have the potential to be promoted as readily
41 available control options, rather than novel technologies requiring introduction.

42

43

44 **Keywords:** weed survey, weed management, *parasitic weeds*, *Striga asiatica*, *NERICA rice*
45 *varieties*, *legumes*, *Madagascar*

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50 **Introduction**

51

52 Among the most economically damaging agricultural weeds are parasitic plants belonging to
53 the family Orobanchaceae (Joel et al. 2007). The most agriculturally damaging weed genera
54 in this family are *Striga*, *Rhamphicarpa* and *Alectra* species in sub Saharan Africa (SSA) and
55 *Orobanche* and *Phelipanche* species in the Mediterranean region, eastern Europe and north
56 Africa. (Mohamed et al. 2006, Spallek et al. 2013, Parker 2013).

57 Of the suite of economically significant parasitic weeds, the genus *Striga* is among the most
58 problematic (Mohamed et al. 2006, Parker 2009). The genus comprises over 30 recognised
59 species with the greatest damage cause by *Striga hermonthica* (Del.) Benth and *S. asiatica*
60 (L) Kuntze (Mohamed et al. 2001). This is due to the often-catastrophic losses caused by
61 these two species to a wide range of staple cereal crops grown by subsistence farmers in SSA
62 (Runo and Kuria 2018).

63 The *Striga* problem is recognised as a major factor limiting crop production in SSA (Ejeta et
64 al. 2007), and is directly related to global issues of food security and poverty alleviation. It is
65 widely accepted that the extent and intensity of infestation by *Striga* is increasing (Joel et al.
66 2007, Ejeta 2007, Parker 2009, Gebreslasie et al. 2018). This is largely due to the lack of
67 access to agricultural inputs (Sauerborn et al. 2003), population pressure reducing fallow
68 periods, and a reduction in traditional intercropping methods (Joel et al. 2013).

69 *Striga* has resulted in reported yield losses of between 35 - 80% in rice (Rodenburg et al.
70 2016), 50 - 100% for sorghum (Abunyewa and Padi, 2003) and losses of maize of between 21
71 - 74% (De Groote et al. 2007). Estimates of economic losses from *Striga* range from between
72 \$111 and \$300 million per year for rice (Rodenburg et al. 2016), \$383 for maize (Woomer
73 and Savala 2007) and between \$1 billion (Labrada, 2008) and \$7 billion in SSA as a whole

74 (Ejeta 2007). There is great variation in estimates of the geographic extent of *Striga*. Lagoke
75 et al. (1991) estimated around 40 million ha of cereal crops affected in West Africa, while
76 Sauerborn (1991) estimated that 21 million ha in Africa was infested. A contemporary
77 estimate is 20 million ha across SSA (Baiyegunhi et al. 2019), while Ejeta (2007) suggests
78 between 50 – 100 million ha annually. The uncertainty represented by this variance in
79 estimated extent reveals that robust methods for estimating the spatial extent of infestations
80 are lacking.

81 Resistance of host crops has long been identified as a key management tool for control for
82 *Striga* (Scholes and Press 2008; Hearne 2009), with a research on resistance in rice cultivars,
83 specifically the NERICA group of varieties. NERICA is an acronym of ‘NEw RIe for
84 AfriCA’, which comprises a group of conventionally crossed rice varieties using *Oryza sativa*
85 (L) and *Oryza glaberrima* (Steud.), developed for sub-Saharan agriculture. A series of
86 NERICA varieties have been developed for rain-fed, upland rice regions, with another series
87 for lowland areas (Somado et al 2008). Widely variation in the resistance of NERICA
88 varieties to *S. asiatica* has been demonstrated from laboratory experiments by Cissoko et al
89 (2011) and in field trials by Rodenburg et al (2015; 2017).

90 Recent work undertaken by Randrianjafizanaka et al (2018) in Madagascar indicates the
91 potential importance of cropping practices and rice variety in the management of *S. asiatica*;
92 incorporating cropping with NERICA rice varieties. NERICA-9 and NERICA-4 reduced *S.*
93 *asiatica* infection levels by 57% and 91% respectively, compared with levels of infection on
94 non-NERICA variety B22. In addition, *S. asiatica* densities were reduced by 20 and 60% in
95 maize grown after planting NERICA-9 and NERICA-4 respectively, compared to B22. In the
96 same study, intercropping with legumes (*Vigna unguiculata*, *Mucuna pruriens*, *Vigna*
97 *umbellata* and *Stylosanthes guianensis*) resulted in significant reductions in *S. asiatica*

98 infection levels and delays in emergence. Intercropping of legumes and cereals has been
99 shown to significantly reduce *Striga* infestation in a number of other studies (e.g. Oswald et
100 al 2002, Rodenburg & Johnson 2009). It is hypothesised that leguminous crops reduce levels
101 of *Striga* germination via nitrogen fixation, causing germination or *Striga* without host root
102 attachment, or that they alter soil surface conditions to interfere in germination (Khan et al
103 2002). Conversely continuous monocropping without rotation has been shown to increase
104 levels of infestation and build ups of *Striga* seed within the soil seed bank (Ejeta 2007).

105 In vitro experiments have demonstrated the role of macronutrients on *S. asiatica* infestation
106 via the mechanism of host strigolactone root exudation. Strigolactones are signalling
107 compounds which stimulate the germination of *Striga* (Xie et al. 2010, Jamil et al 2011).
108 Nitrogen deficiency has been shown to increase strigolactone production by sorghum and
109 hence increase *S. asiatica* and *S. hermonthica* germination (Raju et al. 1990, Yoneyama et al
110 2007). Significant reductions in *S. asiatica* infestation have been observed with increased N
111 application (Farina et al. 1985). Yaduraju et al. (1979) concluded that sorghum growth was
112 negatively affected by *S. asiatica* in the absence of N application, an effect which decreased
113 with increased levels of application. The results of field trials testing the role of N in *Striga*
114 have proved less conclusive. Several studies found application of N to field plots did not
115 affect levels of *S. hermonthica* infestation (Smaling et al. 1991, Kamara et al 2007), whereas
116 others noted significant reductions (Soon-Kwon et al 1997, Kamara 2009). Temporal
117 variations of *Striga* infestation rates in response to N application have also been observed,
118 with greatly differing results to the same levels of application between years (Mumera &
119 Below 1993).

120 Successful management of any weed relies on strong predictive systems, underpinned by
121 accurate distribution data, together with a sound understanding of the ecological niche of the

122 target species (Mohamed et al. 2006). The variance and reliability of estimates of the
123 geographic extent of *Striga* is a knowledge gap requiring urgent attention (Parker 2009). The
124 paucity of accurate distribution data also prevents accurate estimates of economic losses
125 (Rodenburg 2016, De Groot 2007), which serves to justify increased investment to address
126 the problem.

127 Madagascar has been identified as a priority country for parasitic weed research (Rodenburg
128 et al. 2016). This is because of the scale of *Striga* infestation and the lack of current
129 distribution and agroecological data available to address the problem. Fig.1 provides
130 representations of the topography, climate and soil types of Madagascar. Very few studies of
131 *Striga* have been undertaken in Madagascar (Eliot et al. 1993, Geiger et al. 1996,
132 Randriamampianana, Unpub.). Herbaria records are also scant, with just one new record
133 submitted since 2014 (see Fig. 2).

134 INSERT FIG 1 HERE

135
136 The first introductions of *S. asiatica* to Madagascar occurred over a century ago (Fig.2.),
137 resulting in the spread and establishment of separate populations which exist today.
138 Following a rapid increase in cereal production during the early 1980s *S. asiatica* has spread
139 rapidly across the mid-west of Madagascar. As of 1995 the rate of infested fields within the
140 zone of infection was estimated at around 49% (Randriamampianana (date), pers. comm.).
141 Within infested areas, losses can vary from between 20 -100% (Joyeux 2014) and 30 - 90%
142 (Geiger et al. 1996). In many instances, losses resulting from *Striga* infestation have caused
143 farmers to abandon fields or, in some instances, entire settlements (Geiger et al. 1996,
144 Andrianaivo et al. 1998).

145

INSERT FIG 2 HERE

146 The majority of weed population studies have been conducted on single sites using small (\leq
147 1m^2) quadrats (Rew and Cousens 2001, Freckleton and Stephens 2009, Queenborough et al.
148 2011). This approach is inherently labour-intensive and results in coverage of very small
149 spatial extents (Rew and Cousens, 2001). This small scale limits the ability of data to inform
150 predictions of the effects of large-scale environmental change or management on weed
151 population dynamics (Freckleton and Stephens 2009, Treddennick et al. 2017). The use of
152 small quadrats will also almost certainly result in weed patches being missed, creating
153 complications for subsequent statistical analysis (Rew and Cousens, 2001). Large-scale
154 coarse-resolution datasets can be used effectively for distribution modelling on macro scales;
155 for example, using presence data from herbaria or historical records (e.g Kriticos et al. 2003,
156 Mohamed et al. 2006). However, analyses based on presence data alone will not provide
157 information on weed population dynamics in response to changing abiotic or land
158 management factors.

159 To address the lack of appropriately scaled data, collection methods to enable such analyses;
160 density-structured techniques have been developed (Queenborough et al. 2011, Freckleton et
161 al. 2011a). These methods enable the relatively rapid collection of comprehensive data on
162 weed densities with a small team and limited resources. This approach enables the production
163 of regional and national-scale mapping of distributions and abundances, including relating
164 population abundances to environmental drivers (Mieszkowska et al 2013) and management
165 (Freckleton et al 2018). .

166 Here we analyse the factors driving the abundance and distribution of *Striga* at a large scale.
167 We used ecological surveys to obtain landscape-scale distribution data alongside detailed
168 agroecological information for *S. asiatica*. The objectives were to (i) develop a rapid and

169 repeatable methodology that would permit the mapping of this weed at a national scale; (ii)
170 test the role of management (crop and cropping history) in driving increases in abundance;
171 (iii) analyse the impact of variation in soil nutrients in explaining differences in the
172 distribution of *Striga*.

173

174 **Methods**

175 *Study system*

176

177 Field surveys were undertaken between February and March 2019 in the mid-west of
178 Madagascar, one of the six major rice growing regions in the country (Fujisaka, 1990). The
179 mid-west covers 23,500 km² with an elevation between 700 m and 1000 m above sea level.
180 The climate is semi-humid tropical, with a warm, rainy season from November to April and a
181 cool, dry season from May to October. Mean annual rainfall ranges from 1100mm to 1900
182 mm with a mean temperature of 22 C.

183

184 *Large-scale transects*

185 Field sampling involved undertaking two long-distance, driven transects along which *S.*
186 *asiatica* abundance was estimated in fields adjacent to the road. These comprised a transect
187 of 116 km along the RN34 (T1, n=153) and one of 70 km along the RN1 (T2, n=83). T1 was
188 located within Vakinakaritra province, between the towns of Betafo and Morafeno and T2
189 was located within Itasy and Bongolava provinces, approximately 3km east of Sakay and the
190 outskirts of Tsiroamandidy (Fig. 3).

191

INSERT FIG 3 HERE

192 The location and orientation of transects was based on expert advice and previous work
193 undertaken by agricultural researchers familiar with the historic distribution of *S. asiatica* in
194 the mid-west of Madagascar. Fieldwork was undertaken with local technicians or guides.

195 ***Within-field sampling***

196 One field was surveyed on adjacent sides of the road every kilometre. In the absence of fields
197 in the immediate vicinity of a given 1 km section, the next available field was surveyed. Prior
198 to undertaking the survey, pilot work was undertaken in order to ensure consistency of
199 scoring between observers, and measure the detectability of the *Striga* within fields. This
200 work was undertaken within an experimental field station maintained by French agricultural
201 research organisation: CIRAD, located at Ivory (Lat: 46.411254, Long: -19.552421).
202 Systematic density scoring was undertaken by principal field surveyors within three rice
203 fields possessing highly varied levels of *Striga* infestation.

204 Fields were divided into quadrats, with two observers recording *Striga* density within up to
205 three quadrats per field, each quadrat measuring 10 m wide by 20 m in length. Where a field
206 was greater than 1200m² in size, the survey was limited to 3 x 200 m² quadrats per observer
207 (Fig. 4). In each instance a field corner was randomly selected as the point to begin survey.

208
209 *Striga* density was estimated within quadrats using a six-point, density structured scale,
210 ranging from absent (0) to very high (5). Based on available information, Crop type, rice
211 variety, companion crop, previous crop, estimated mean crop height, and percentage cover
212 data were collected. In addition, information on fertiliser addition and any other pertinent
213 information on the general area were recorded (where available). Photographs of each field
214 were also taken.

215

216 Each quadrat was walked in parallel by the two observers, moving at a steady pace. During
217 the walk, each observer scanned 5 m either side of their path to look for *Striga* (see Fig.4.).
218 At the end of each quadrat the mean density score for that quadrat (along with average crop
219 height and cover and other weed cover) was called and entered on the mobile app. If no
220 *Striga* was found within any quadrats, a thorough walk throughout the entire field was
221 undertaken to verify that *Striga* was truly absent.

222 INSERT FIG 4 HERE

223
224 Where scores varied in excess of one density point between surveyors, a discussion was
225 undertaken as to why the quadrat had been scored as such in order to standardise density
226 estimates between observers.

227
228 During the pilot work, it was agreed between surveyors that reliable detection of *S. asiatica*
229 within typically planted, pluvial rice fields was possible at distances up to 5 m on either side
230 of each surveyor. As a 10 x 10m quadrat per surveyor would have negatively affected the
231 speed of repeatability, quadrat dimensions of 200m² (10x20m) were agreed. Definitions of
232 density states were determined, and a table was produced with narrative descriptors of the
233 scale used.

234 Data were recorded using a GPS-enabled smartphone with the mobile application 'Fulcrum'
235 (Fulcrumapp.com, 2019, version 2.31.1) to allow geo-referencing and rapid data entry.
236 Accurate location of the fields will permit the sites to be subsequently resurveyed.

237

238 ***Soil Samples***

239 The role of available nitrogen in determining *S. asiatica* densities was addressed through
240 collecting and analysing soil samples for NO₃. These samples were collected in pairs from
241 quadrats with contrasting *Striga* densities within the same field. The aim was to collect equal
242 numbers of paired samples for all combinations of *Striga* density. However a paucity of very
243 high *Striga* densities during survey resulted in an unbalanced composition of density pairs
244 (see Appendix 3). The soil samples comprised: 47 pairs representing differing densities and
245 nine single samples from individual fields lacking any *Striga*. Soil samples were obtained
246 from the centre of each chosen quadrat using a 20 mm diameter, hand-held, tubular soil
247 sampler to a depth of approximately 20 cm. Soil samples were subsequently air dried for
248 analysis.

249
250 NO₃ analysis was undertaken using a LAQUAtwin NO₃-11 nitrate meter (Horiba Scientific,
251 Japan). Owing to low levels of NO₃ within the soil, it was necessary to dilute the standard
252 solution supplied with the meter. Therefore, calibration was undertaken between 15 and 150
253 ppm NO₃ to improve sensitivity. One gram of dried soil was mixed with one millilitre of
254 water and ground in a pestle and mortar. The resultant solution was then placed on the sensor
255 of the meter. This procedure was repeated a minimum of two times per soil sample. If
256 agreement between the first two readings was observed (i.e: between +/- 5 ppm NO₃ between
257 readings), then the readings were taken, and the mean of the readings was used. If the
258 readings did not concur, then sampling was repeated until stabilisation of readings.

259
260 Soil pH was measured on the soil samples using a Hanna Instruments HI99121 pH meter
261 (Hanna Instruments Ltd, UK). For each sample, 20 g of soil were mixed with 50 ml of soil
262 preparation solution for 30 seconds. After 5 minutes the soil pH was measured using the
263 meter.

264

265 ***Statistical Methods***

266 The first set of analyses tested the roles of crop variety, weeding, previous crop, companion
267 crop and field area in determining the density of *Striga*. A second set examined the potential
268 effect of edaphic factors (mean annual temperature, mean annual rainfall, altitude pH and
269 NO₃) on *S. asiatica* density. Within-field *Striga* density was also plotted against that of
270 neighbouring fields. A final set of analyses used *Striga* density as the independent variable
271 and mean crop height, crop cover and other weed cover as response variables; to examine
272 potential effects of *Striga* on crops and any covariation with cover for other weeds present.

273

274 Diagnostic plots (density plots, QQ plots and histograms) were produced for each model.
275 Statistics were calculated using R 3.5.1 (R Core Team, 2018) and the packages: dplyr
276 (v0.8.0.1; Wickham, François, Henry & Müller, 2019), mgcv (Wood 2011), lme4 (v067.i01,
277 Bates, Maechler, Bolker, & Walker, 2015), lmerTest (Kuznetsova , Brockhoff & Christensen
278 2017), MASS (Venables & Ripley 2002), DescTools (v 0.99.28, Signorell et mult. al. 2019).
279 and psych (Revelle 2018, v1.8.12). The full reproducible code is available in Appendix 1.

280

281 *Striga* density was log (x+1) transformed owing to the presence of large numbers of zero
282 densities. Polynomial contrasts were applied to categorical variables incorporated into models
283 (crop variety, previous crop, companion crop). Linear models and generalised additive
284 models (GAMs) were used to test significance of independent variables. Linear regression
285 analyses are robust against high degrees of collinearity among independent variables
286 (Freckleton 2011b) and violation of normality assumptions for distribution of residuals
287 (Fitzmaurice, Laird & Ware 2004). GAMs were also chosen due to their flexibility in dealing
288 with non-normal distributions and ability to handle non-linear relationships between response
289 and explanatory variables (Guisan et al 2002).

290

291 To test the effects of previous crops, two sets of analyses were undertaken. The first was to
292 examine the effect if the previous crop was a legume or non-legume (dichotomous, yes / no).
293 For this analysis, Shapiro-Wilk tests were undertaken to check for normality of distribution
294 for the two levels of *Striga* density. A Welch Two Sample t-test was subsequently performed
295 on these data. To enable comparison with the study of Randrianjafizanaka et al. (2018) a
296 Welch Two Sample t-test for mean *Striga* density and rice varieties B22 and NERICA-4 was
297 also undertaken. The second analysis examined any effects of specific crop or crop
298 combinations on *Striga* density. Linear models and GAMs for previous crop and *Striga*
299 density with latitude and longitude included as smoothed terms were performed (see
300 Appendix 1). Crop-crop combinations with fewer than two records were omitted from these
301 analyses. An additional model testing for autocorrelation between *Striga* density and latitude
302 / longitude was also performed.

303

304 Preliminary model testing for collinearity between edaphic factors indicated strong
305 correlation between altitude and mean temperature ($f=1860$, $df=2$, 239 , $R^2=0.93$, $p < 2.2e-16$,
306 VIF: 16.56). Potential correlation between mean rainfall and altitude and mean temperature
307 was less evident ($f=3.40$, $df=2$, 239 , $R^2= 0.03$, $p = 0.04$, VIF=1.03). However, this interaction
308 was anticipated and is commonplace amongst analyses using edaphic data and was therefore
309 not considered a constraint to the analysis undertaken. Smoothed lines fitted to scatterplots
310 for (pH, NO_3 , field area, altitude, mean rainfall, mean temperature) indicated potential non-
311 linear relationships with *Striga* density; providing additional justification for the use of
312 GAMs in the analyses (see Appendix 2).

313

314

315 **Results**

316

317 ***Management Factors***

318

319 Analysis of management data suggests that rice variety had a significant effect on *Striga*
320 density (linear model $F=1.72$, $df=20$, 102 , $p=0.04$, GAM $F=11.14$, $df=21$, 102 ? $p < 2e-16p$),
321 most notably with NERICA-10 and NERICA-4. NERICA-10 exhibited greater resistance
322 than NERICA-4, which was associated with consistently higher *Striga* densities (see Fig. 5
323 A). A Welch Two Sample t-test for mean *Striga* density and previous crop legume (yes/no,
324 Fig. 5 B) indicated significant differences of means ($t=2.05$, $df=141.08$, $p=0.02$). The t-test
325 for B22 and NERICA-4 did not indicate significant differences of means (μ : B22=0.85,
326 NERICA-4=1.15, $t=2.05$, $df=141.08$, $p=0.02$) although the mean *Striga* density was lower for
327 B22 than for NERICA-4. The effect of previous crop type or variety on mean *Striga* density
328 (Fig. 5 C) was not significant for a linear model ($F=1.08$, $df =25$, 159 , $p= 0.369$) but was
329 significant for the associated GAM ($F=15.84$, $df=21$, $p<2e-16$). Specifically, the effects of
330 previous cropping with bambara groundnut (*Vigna subterranea*) and rice / Bambara
331 groundnut were correlated with significantly lower mean *Striga* density.

332

333 There was a positive relationship between within field *Striga* density and the density of the
334 nearest neighbouring fields ($F=9.015$ $df=1$, 242 , $p=0.01$ and GAM ($F=10.91$, $df=1$, $p=0.01$).
335 This suggests that spatial factors could be important in determining *Striga* distribution and
336 spread (see Fig. 6). No significant results were obtained from the analyses of mean *Striga*
337 density used as an explanatory variable for mean crop height ($F=0.83$, $df=1$, 223 , $p=0.36$)
338 crop cover ($F=2.329$ $df=1$, 223 , $p=0.13$) and other weed cover ($F=0.08$ $df=1$, 151 , $p=0.77$).

339

340 INSERT FIG 5 HERE

341 INSERT FIG 6 HERE

342

343

344 ***Edaphic Factors***

345 A linear model and GAM combining edaphic factors to predict *Striga* density (mean rainfall,
346 mean temperature and altitude) did not produce significant results (linear model: $f = 1.39$, $df =$
347 3 , $238.$, $p = 0.25$, GAM $f = 1.297$ $df = 14.38$ $p = 0.19$). A linear mixed model and GAM
348 examining the effects of soil pH and NO₃ on *Striga* density did not produce significant
349 results (linear model: pH: $t = 0.72$, $df = 92.58.$, $p = 0.48$, NO₃: $t = -1.12$, $df = 89.33$, $p = 0.27.$,
350 GAM pH: $X^2 = 0.72$, $df = 1.$, $p = 0.39$, NO₃: $X^2 = 0.48$, $df = 1.$, $p = 0.49$). Ranges for pH were:
351 4.16 - 6.43 for T1 (n=68) and 4.51 - 5.81 for T2 (n=35). Ranges for NO₃ were: 15 – 135 ppm
352 for T1 (n=68) and 18 – 130ppm for T2 (n=34: one sample was discarded).

353

354

355 **Discussion**

356 This paper describes the first known systematic, landscape-scale agroecological study of the
357 factors driving the occurrence and abundance of *Striga*. Our results, employing a novel
358 methodology reveals key agroecological factors influencing *Striga* density. Our study
359 demonstrates the role of crop variety, companion crop and crop rotation in determining *Striga*
360 density and highlights the importance of densities within adjacent fields; providing evidence
361 of the localised nature of *Striga* dispersal.

362 ***Cropping practices***

363 There was a significant role of rice variety on *Striga* density, and this was in line with
364 previous studies which analysed the resistance of (NERICA) rice varieties. During the

365 current study NERICA-10 was found to be more resistant than NERICA-4. This is significant
366 as it is consistent with other studies undertaken in the laboratory by Cissoko et al (2011) and
367 during field trials by Rodenburg et al (2015). Cissoko et al. (2011) found that NERICA-10
368 was more resistant to both *S. asiatica* and *S. hermonthica* than NERICA-4. This resistance
369 was demonstrated in terms of numbers and mean height of attached *Striga* plants. Similarly,
370 field trials by Rodenburg et al (2015) in Tanzania found the NERICA-10 was significantly
371 more resistant to *S. asiatica* than NERICA-4. This resistance was expressed by maximum
372 emerged *Striga* per m². However additional field trials by Rodenburg et al (2017),-also in
373 Tanzania- indicated similar levels of emerged *S. asiatica* between NERICA-10 and NERICA-
374 4.

375 Randrianjafizanaka et al. (2018) identified significantly lower *Striga* infection levels for
376 NERICA-4 than variety B22. During the current study however, lower mean *Striga* density
377 was recorded for B22 than for NERICA-4, though the means were not statistically different.
378 NERICA-4 was the worst performing of all rice varieties recorded in terms of *Striga* density,
379 which is the inverse of the findings of Randrianjafizanaka et al. (2018). However, NERICA-
380 9, used in the study by Randrianjafizanaka et al., was not recorded, preventing a complete
381 comparison. The results of Randrianjafizanaka et al. are consistent with regards to the
382 significant effect of previous crop and legumes in reducing *Striga* infestation. This effect has
383 also been found in other research (e.g. Rodenburg & Johnson 2009, Kureh et al 2006).

384 That such variance should exist between observed resistance of rice varieties between these
385 two studies could be due to several reasons. Firstly, high degrees of genetic variability have
386 been identified between separate populations of *S. asiatica* (Mohamed et al 2007) to the
387 extent that even proximate populations can be considered as separate ecotypes (Botanga et al.
388 2002). Such variation also appears to be positively related to time since introduction to a

389 region or locality (Gethi et al 2005), which influences the degree of *Striga* virulence and
390 levels of host infection (Cissoko et al 2011).

391 Secondly, the higher level of complexity associated with open systems could also account for
392 observed variation with controlled studies in a geographically discreet locality. Indeed, the
393 effect of the inherently greater complexity of agroecological systems on resistance of rice
394 cultivars to *Striga* is largely unknown (Rodenburg 2015, 2017). Interactions of environmental
395 factors such as soil composition, nutrients, microclimate, slope, aspect, can interact to
396 influence the expression of host resistance. Interactions of these factors with the phenotypic
397 expression of *Striga* ecotypes may also be responsible. Observations of resistance to *Striga*,
398 due to the factors detailed above, therefore vary greatly according location. This may account
399 for differences between the findings of a study concerning single population, when compared
400 with those aggregated over several populations across a large geographic extent.

401

402 ***Dispersal***

403

404 The correlation between within-field *Striga* density and that of nearest neighbouring fields
405 suggests that there is transfer between adjacent, suitable habitat patches. Studies of the
406 dispersal of *S hermonthica* (Berner et al 1994, van Delft 1997) and *S asiatica* (Sand et al
407 1990) also suggest localised seed dispersal to adjacent patches of suitable habitat, as opposed
408 to long-distance, random dispersal via wind or water. In support of these observations, *S*
409 *asiatica* seed weight and size has also been positively correlated with germination rate and
410 virulence (Bewabi et al 1984).

411 Contamination of seed is responsible for initial introductions between countries or regions
412 (Berner et al 1994, Gethi et al 2005). This assertion is supported by herbarium records for

413 Madagascar (see Fig.2.), which show the earliest records around the country's principal
414 historical ports. Once initial introduction has occurred, the evidence for localised dispersal of
415 *Striga* suggests that a spatially explicit approach to management would be most appropriate
416 (Minor and Gardiner 2011).

417 ***Crop Productivity***

418 The absence of any observed relationship between mean *Striga* density and crop height /
419 cover could be attributable to the fact that emerged (aboveground) weed density often does
420 not represent total attached *Striga* plants. In the case of *Striga*, density of plants can actually
421 be lower in the event of high levels of host attachment (Hearne 2009). This is caused by an
422 increased delay in emergence, as greater numbers of attached *Striga* plants compete for the
423 same host nutrient source. This is different to the effect of most weeds, where visible weed
424 biomass is related to crop performance (Rajcan & Swanton 2001). Some previous studies
425 have demonstrated a direct effect of numbers of emerged *Striga* plants on crop performance
426 (Rodenburg et al 2017, Mumera & Below 1993). However, these studies controlled for soil
427 nutrient levels, so the role of *Striga* infection on plant growth could be isolated. It is however
428 considered that poor soil nutrient levels observed during the current study represented an
429 overriding limiting factor in crop performance, rather than *Striga* density.

430

431 ***Edaphic Factors***

432 That edaphic factors were not significantly correlated with *Striga* density was consistent with
433 previous studies, as *S asiatica* has been found to be unresponsive to temperature (Patterson et
434 al 1990, Rodenburg et al 2011). Mean rainfall variation within the study area was low (min:
435 114mm, max: 134mm), which is well within the 50–150mm range tolerated by *Striga* species
436 (Mohamed et al 2006). Similarly, the altitudes encompassed by the current study (713–

437 1301m) were well within the cited range of occurrence for *S asiatica* (0–2400m) (Agnew &
438 Agnew 1994). In order to detect effects of edaphic factors, if indeed they exist in isolation, it
439 would most likely be necessary to cover a geographic range sufficient to collect density data
440 on the edges of the above-cited edaphic ranges. It is most likely that such factors do not
441 solely influence spread or density of *S asiatica*. If such data were collected, these would
442 require combination as factors within a more complex, future modelling framework.

443 **Conclusion**

444 The results of this study provide a number of important, wider implications for the study and
445 management of parasitic weeds. These implications arise from both the methodology
446 employed and the results obtained. The successful implementation of this novel methodology
447 provides a basis to address the paucity of distribution and open system agroecological data
448 for parasitic weeds. These are two significant concerns, which represent major impediments
449 to the successful management of parasitic weeds. That the methodology was successfully
450 adapted from blackgrass – a morphologically and ecologically very different species –
451 demonstrates that it can be further adapted to survey other important parasitic weed species.
452 This simple methodology can be readily communicated to new field surveyors and the rapid,
453 yet accurate nature of data collection is cost-effective. Therefore, surveys can potentially be
454 expanded to regional or national scales as required.

455 That the roles of rice variety and leguminous crops are shown to be significant determinants
456 of *Striga* density on a landscape scale is highly significant. The identification of NERICA-10
457 as a highly resistant variety supports several previous studies. That NERICA-4 has
458 significantly lower resistance to *Striga* than NERICA-10 and other varieties and landraces is
459 highly relevant to policy makers, agricultural researchers, extension workers, NGOs, and
460 farmers in Madagascar. NERICA-4 is widely planted within the mid-west of Madagascar,

461 possibly due to it being *Striga* resistant and a high-yield variety. The use of resistant crop
462 varieties is the most widespread seed-based control option available to subsistence farmers
463 with limited capital (Hearne 2009). However, in light of these findings, it is recommended
464 that alternative varieties are promoted which exhibit greater resistance within this
465 agroecological context.

466 Lower *Striga* densities recorded in association with planting of legumes also supports a
467 number of previous studies. The use of leguminous companion / rotation crops is already
468 widely practised within farming systems in this region. This control option does not require
469 introduction of novel, unfamiliar crops whose uptake may be subject to potential resistance
470 from farmers. The use of legumes within rotational and intercropping systems should
471 therefore also be promoted in situations where limited access to capital precludes the use of
472 herbicides, fertilisers or other technologies.

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477 **Conflict of Interest Statement**

478 The authors declare that there is no conflict of interest.

479

480

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Appendix 1: Model details, outputs and R scripts*

Model	#	Code	Result																																																													
Mean crop height v Log striga density +1	LM1	<pre>ALOM1<-group_by(AD_1, R_M_O) lm1 <- lm(MCH ~ log(AvDen + 1), data = ALOM1)</pre>	<p>Analysis of Variance Table</p> <p>Response: MCH</p> <table> <thead> <tr> <th></th> <th>Df</th> <th>Sum Sq</th> <th>Mean Sq</th> <th>F value</th> </tr> </thead> <tbody> <tr> <td>Pr(>F)</td> <td></td> <td></td> <td></td> <td></td> </tr> <tr> <td>log(AvDen + 1)</td> <td>1</td> <td>3767</td> <td>3766.9</td> <td>0.8295</td> </tr> <tr> <td>Residuals</td> <td>223</td> <td>1012696</td> <td>4541.2</td> <td></td> </tr> </tbody> </table> <p>></p> <p>Coefficients:</p> <table> <thead> <tr> <th></th> <th>Estimate</th> <th>Std. Error</th> <th>t value</th> </tr> </thead> <tbody> <tr> <td>Pr(> t)</td> <td></td> <td></td> <td></td> </tr> <tr> <td>(Intercept)</td> <td>99.03</td> <td>7.36</td> <td>13.454</td> </tr> <tr> <td><2e-16 ***</td> <td></td> <td></td> <td></td> </tr> <tr> <td>log(AvDen + 1)</td> <td>9.87</td> <td>10.84</td> <td>0.911</td> </tr> <tr> <td>0.363</td> <td></td> <td></td> <td></td> </tr> <tr> <td>---</td> <td></td> <td></td> <td></td> </tr> </tbody> </table> <p>Residual standard error: 67.39 on 223 degrees of freedom (19 observations deleted due to missingness)</p> <p>Multiple R-squared: 0.003706, Adjusted R-squared: -0.0007618</p> <p>F-statistic: 0.8295 on 1 and 223 DF, p-value: 0.3634</p>		Df	Sum Sq	Mean Sq	F value	Pr(>F)					log(AvDen + 1)	1	3767	3766.9	0.8295	Residuals	223	1012696	4541.2			Estimate	Std. Error	t value	Pr(> t)				(Intercept)	99.03	7.36	13.454	<2e-16 ***				log(AvDen + 1)	9.87	10.84	0.911	0.363				---																
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*Green = Low Significance / p value, Yellow = Moderate significance / p value, Red = High significance / p value

			<pre> --- Residual standard error: 16.54 on 223 degrees of freedom (19 observations deleted due to missingness) Multiple R-squared: 0.01034, Adjusted R- squared: 0.0059 F-statistic: 2.329 on 1 and 223 DF, p- value: 0.1284 </pre>
Mean crop cover v Log striga density +1 + S(Lat-Lon)	GAM2	<pre> gam2 <- gam(MCC ~ log(AvDen + 1) + s(Lat, Lon), data = ALOM1) </pre>	<pre> Parametric Terms: df F p-value log(AvDen + 1) 1 2.819 0.0947 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 17.27 21.63 1.685 0.0344 Parametric coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 50.970 1.758 28.997 <2e-16 *** log(AvDen + 1) -4.433 2.640 -1.679 0.0947 . --- Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 17.27 21.63 1.685 0.0344 * --- R-sq.(adj) = 0.123 Deviance explained = 19.5% GCV = 263.8 Scale est. = 241.21 n = 225 > </pre>
Mean other weed cover v Log striga density +1	LM3	<pre> lm3 <- lm(MWC ~ log(AvDen + 1), data = ALOM1) </pre>	<pre> Analysis of Variance Table Response: MWC Df Sum Sq Mean Sq F value Pr(>F) log(AvDen + 1) 1 45 45.05 0.0847 0.7714 Residuals 151 80320 531.92 Call: lm(formula = MWC ~ log(AvDen + 1), data = ALOM1) Residuals: Min 1Q Median 3Q Max -22.425 -20.773 -8.733 14.012 59.227 Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 30.773 3.127 9.843 <2e-16 *** log(AvDen + 1) 1.319 4.531 0.291 0.771 --- Residual standard error: 23.06 on 151 degrees of freedom (91 observations deleted due to missingness) Multiple R-squared: 0.0005605, Adjusted R-squared: -0.006058 F-statistic: 0.08469 on 1 and 151 DF, p- value: 0.7714 </pre>
Mean crop cover v Log striga density +1 + S(Lat-Lon)	GAM3	<pre> gam3 <- gam(MWC ~ log(AvDen + 1) + s(Lat, Lon), data = ALOM1) </pre>	<pre> Parametric Terms: df F p-value log(AvDen + 1) 1 0.218 0.641 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 2 2 4.636 0.0111 </pre>

			<pre>arametric coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 30.353 3.064 9.906 <2e-16 *** log(AvDen + 1) 2.077 4.448 0.467 0.641 ---</pre> <pre>Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 2 2 4.636 0.0111 * ---</pre> <pre>R-sq.(adj) = 0.0402 Deviance explained = 5.91% GCV = 521.1 Scale est. = 507.48 n = 153</pre>
Mean crop height, crop cover and other weed cover as combined response v striga density	LM4	<pre>lm4 <- lm(MCH + MCC + MWC ~ log(AvDen + 1), data = ALOM1)</pre>	<pre>Analysis of Variance Table Response: MCH + MCC + MWC Df Sum Sq Mean Sq F value Pr(>F) log(AvDen + 1) 1 4878 4877.7 0.8778 0.3503 Residuals 151 839024 5556.5 > summary(lm4) Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 176.34 10.10 17.451 <2e-16 *** log(AvDen + 1) 13.72 14.64 0.937 0.35 ---</pre> <pre>Residual standard error: 74.54 on 151 degrees of freedom (91 observations deleted due to missingness) Multiple R-squared: 0.00578, Adjusted R- squared: -0.0008043 F-statistic: 0.8778 on 1 and 151 DF, p- value: 0.3503</pre>
Mean crop height, crop cover and other weed cover as combined response v striga density	GAM4	<pre>gam4<- gam(MCH + MCC + MWC ~ log(AvDen + 1) + s(Lat, Lon), data = ALOM1)</pre>	<pre>Parametric Terms: df F p-value log(AvDen + 1) 1 0.44 0.508 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 2.001 2.001 4.331 0.0148 > summary(gam4) Parametric coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 178.651 9.922 18.006 <2e-16 *** log(AvDen + 1) 9.555 14.405 0.663 0.508 ---</pre> <pre>Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 2.001 2.001 4.331 0.0148 * ---</pre> <pre>R-sq.(adj) = 0.0415 Deviance explained = 6.04% GCV = 5464.4 Scale est. = 5321.5 n = 153</pre>
Mean crop height of RICE ONLY v Log striga density +1	LM5	<pre>lm5 <- lm(MCH ~ log(AvDen + 1), data = AD_1, subset = which(R_M_O == "Rice")))</pre>	<pre>Response: MCH Df Sum Sq Mean Sq F value Pr(>F) log(AvDen + 1) 1 41 40.89 0.1291 0.7201 Residuals 106 33587 316.86 > summary(lm5) Residuals:</pre>

			<pre> Min 1Q Median 3Q Max -40.129 -9.944 -1.415 6.422 60.980 Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 60.129 2.737 21.971 <2e-16 *** log(AvDen + 1) -1.599 4.452 -0.359 0.72 ---</pre> <p>Residual standard error: 17.8 on 106 degrees of freedom (15 observations deleted due to missingness) Multiple R-squared: 0.001216, Adjusted R-squared: -0.008206 F-statistic: 0.1291 on 1 and 106 DF, p-value: 0.7201</p>
Mean crop height RICE ONLY v Log striga density +1 + S(Lat-Lon)	GAM5	<pre> gam5 <- gam(MCH ~ log(AvDen + 1) + s(Lat, Lon), data = AD_1, subset = which(R_M_O == "Rice")))</pre>	<pre> Parametric Terms: df F p-value log(AvDen + 1) 1 0.091 0.763 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 11.07 14.37 1.36 0.187 > summary(gam5) Family: gaussian Link function: identity Parametric coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 59.988 2.615 22.943 <2e-16 *** log(AvDen + 1) -1.307 4.322 -0.302 0.763 ---</pre> <p>Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 11.07 14.37 1.36 0.187</p> <p>R-sq.(adj) = 0.126 Deviance explained = 22.5% GCV = 312.43 Scale est. = 274.61 n = 108 ></p>
Previous crop legume v previous crop not legume?	ttest1	<pre> AD1<- (AD_1\$AvDen+2)#Adds 2 to the zeros to allow log transformation without excessive zeros ADL<- log(AD1) # Then log transforms data AD_1\$ADL<-ADL # Make two vectors subsetting if previous crop was legume or not PCLY = AD_1\$ADL[AD_1\$PCL=="Y"] PCLN = AD_1\$ADL[AD_1\$PCL=="N"] # Plot histogram for each subset with nice normal distribution line plotNormalHistogram(PCLY) plotNormalHistogram(PCLN) ttest1 <-t.test(PCLN, PCLY,</pre>	<pre> Welch Two Sample t-test data: PCLN and PCLY t = 2.0485, df = 141.08, p-value = 0.02118 alternative hypothesis: true difference in means is greater than 0 95 percent confidence interval: 0.01590524 Inf sample estimates: mean of x mean of y 1.0444077 0.9614534</pre>

		"greater")	
Welch Two Sample t-test Companion crop legume v previous crop not legume?	ttes t 2	CCLY = AD_1\$ADL[AD_1\$CCL=="Y"] CCLN = AD_1\$ADL[AD_1\$CCL=="N"] ttest1<- t.test(CCLN, CCLY, "greater")	Welch Two Sample t-test data: CCLN and CCLY t = -0.51946, df = 89.595, p-value = 0.6976 alternative hypothesis: true difference in means is greater than 0 95 percent confidence interval: -0.1715704 Inf sample estimates: mean of x mean of y 0.5239577 0.5648124
Shapiro Wilk Test for normal distribution	SW1, SW2	sw1<-shapiro.test(PCLN) sw2<-shapiro.test(PCLY)	Shapiro-Wilk normality test data: PCLN W = 0.93023, p-value = 9.952e-06 Shapiro-Wilk normality test data: PCLY W = 0.88964, p-value = 2.924e-05
Independent 2-group Mann-Whitney U Test As data looks non normal	UT1	wilcox.test(PCLN,PCLY, "greater")	Wilcoxon rank sum test with continuity correction data: PCLN and PCLY W = 4605.5, p-value = 0.02053 alternative hypothesis: true location shift is greater than 0
Welch Two Sample t-test NERICA4 and B22 As The results of Randrianjafiza naka et al. compared these two varieties	ttes t 3	ttest3<- t.test(NERICA4, B22, "greater")	Welch Two Sample t-test data: NERICA4 and B22 t = 1.0121, df = 53.34, p-value = 0.158 alternative hypothesis: true difference in means is greater than 0 95 percent confidence interval: -0.07241114 Inf sample estimates: mean of x mean of y 0.6640107 0.5532828
Linear model Striga density v previous crop	LM6	options(contrasts = c("contr.sum","contr.poly")) lm6 <- lm(log(AvDen + 1) ~ PC, data = AD_1)	Analysis of Variance Table Response: log(AvDen + 1) Df Sum Sq Mean Sq F value Pr(>F) PC 25 4.6514 0.18606 1.082 0.369 Residuals 159 27.3413 0.17196 Multiple R-squared: 0.1454, Adjusted R-squared: 0.01102 F-statistic: 1.082 on 25 and 159 DF, p-value: 0.369
GAM Striga density v previous crop	GAM6	gam6 <- gam(log(AvDen + 1) ~ PC -1 + s(Lat, Lon), data = AD_1)	Family: gaussian Link function: identity Formula: log(AvDen + 1) ~ PC - 1 + s(Lat, Lon) Parametric Terms: df F p-value PC 21 15.84 <2e-16 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 2.126 2.247 0.708 0.457 > summary(gam6) Family: gaussian Link function: identity Formula: log(AvDen + 1) ~ PC - 1 + s(Lat, Lon) Parametric coefficients: Estimate Std. Error t value Pr(> t) PCArachis hypogaea 0.591496 0.106648 5.546 1.17e-07 *** PCArachis hypogaea, Manihot esculenta 0.068891 0.417409 0.165 0.869114

			<pre> PCArachis hypogaea, Solanum lycopersicum - 0.009785 0.420001 -0.023 0.981442 PCCucumis sativus - 0.082705 0.418120 -0.198 0.843447 PCFallow 0.721657 0.112531 6.413 1.50e-09 *** PCGlycine max 0.504852 0.416996 1.211 0.227780 PCIpomoea batatas 0.621659 0.209986 2.960 0.003534 ** PCManihot esculenta 0.640039 0.085632 7.474 4.61e-12 *** PCManihot esculenta, Vigna subterranea 0.828340 0.293686 2.820 0.005395 ** PCOryza sp 0.483489 0.072564 6.663 4.00e-10 *** PCOryza sp, Arachis hypogaea 0.547073 0.420556 1.301 0.195164 PCOryza sp, Manihot esculenta 0.416930 0.414682 1.005 0.316194 PCOryza sp, Vigna subterranea 0.316803 0.293555 1.079 0.282107 PCOryza sp, Zea mays 0.786737 0.420889 1.869 0.063398 . PCPhaseolus vulgaris 0.685005 0.418282 1.638 0.103434 PCVigna subterranea 0.347235 0.070044 4.957 1.79e-06 *** PCVigna subterranea, Arachis hypogaea 1.019209 0.293910 3.468 0.000672 *** PCZea mays 0.595244 0.073236 8.128 1.07e-13 *** PCZea mays, Manihot esculenta 0.524288 0.159370 3.290 0.001231 ** PCZea mays, Vigna subterranea 0.698396 0.414674 1.684 0.094069 . PCZea mays, Voanjo 0.396548 0.417749 0.949 0.343909 ---</pre> <p>Approximate significance of smooth terms:</p> <table> <thead> <tr> <th></th> <th>edf</th> <th>Ref.df</th> <th>F</th> <th>p-value</th> </tr> </thead> <tbody> <tr> <td>s(Lat,Lon)</td> <td>2.126</td> <td>2.247</td> <td>0.708</td> <td>0.457</td> </tr> </tbody> </table> <p>R-sq.(adj) = 0.016 Deviance explained = 67.4%</p> <p>GCV = 0.19554 Scale est. = 0.1711 n = 185</p>		edf	Ref.df	F	p-value	s(Lat,Lon)	2.126	2.247	0.708	0.457																											
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Linear model Striga density v mean temp, mean rainfall and altitude	LM7	<pre> lm7 <- lm(log(AvDen + 1) ~ MeanRF + MeanTA + Alt, data = AD_1) anova(lm7)</pre>	<pre> Analysis of Variance Table Response: log(AvDen + 1) Df Sum Sq Mean Sq F value Pr(>F) MeanRF 1 0.171 0.17083 0.8905 0.34629 MeanTA 1 0.572 0.57172 2.9803 0.08558 . Alt 1 0.057 0.05727 0.2985 0.58532 Residuals 238 45.656 0.19183 ---</pre> <p>Call:</p> <pre> lm(formula = log(AvDen + 1) ~ MeanRF + MeanTA + Alt, data = AD_1)</pre> <p>Residuals:</p> <table> <thead> <tr> <th></th> <th>Min</th> <th>1Q</th> <th>Median</th> <th>3Q</th> <th>Max</th> </tr> </thead> <tbody> <tr> <td></td> <td>-0.66661</td> <td>-0.34131</td> <td>-0.01941</td> <td>0.24838</td> <td>1.10644</td> </tr> </tbody> </table> <p>Coefficients:</p> <table> <thead> <tr> <th></th> <th>Estimate</th> <th>Std. Error</th> <th>t value</th> <th>Pr(> t)</th> </tr> </thead> <tbody> <tr> <td>(Intercept)</td> <td>-1.3746946</td> <td>3.5007288</td> <td>-0.393</td> <td>0.695</td> </tr> <tr> <td>MeanRF</td> <td>-0.0088361</td> <td>0.0080381</td> <td>-1.099</td> <td>0.273</td> </tr> <tr> <td>MeanTA</td> <td>0.1166316</td> <td>0.1222766</td> <td>0.954</td> <td>0.341</td> </tr> <tr> <td>Alt</td> <td>0.0005012</td> <td>0.0009172</td> <td>0.546</td> <td>0.585</td> </tr> </tbody> </table>		Min	1Q	Median	3Q	Max		-0.66661	-0.34131	-0.01941	0.24838	1.10644		Estimate	Std. Error	t value	Pr(> t)	(Intercept)	-1.3746946	3.5007288	-0.393	0.695	MeanRF	-0.0088361	0.0080381	-1.099	0.273	MeanTA	0.1166316	0.1222766	0.954	0.341	Alt	0.0005012	0.0009172	0.546	0.585
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GAM Striga density v mean temp, mean rainfall and altitude	GAM7	<pre>gam1 <- gam(log(AvDen + 1) ~ MeanRF + MeanTA + Alt + s(Lat, Lon), data = AD_1) anova(gam1)</pre>	<p>Family: gaussian Link function: identity</p> <p>Formula: $\log(\text{AvDen} + 1) \sim \text{MeanRF} + \text{MeanTA} + \text{Alt} + s(\text{Lat}, \text{Lon})$</p> <p>Parametric Terms:</p> <table border="1"> <thead> <tr> <th></th> <th>df</th> <th>F</th> <th>p-value</th> </tr> </thead> <tbody> <tr> <td>MeanRF</td> <td>1</td> <td>0.045</td> <td>0.832</td> </tr> <tr> <td>MeanTA</td> <td>1</td> <td>0.649</td> <td>0.421</td> </tr> <tr> <td>Alt</td> <td>1</td> <td>0.046</td> <td>0.830</td> </tr> </tbody> </table> <p>Approximate significance of smooth terms:</p> <table border="1"> <thead> <tr> <th></th> <th>edf</th> <th>Ref.df</th> <th>F</th> <th>p-value</th> </tr> </thead> <tbody> <tr> <td>s(Lat,Lon)</td> <td>10.72</td> <td>14.38</td> <td>1.297</td> <td>0.191</td> </tr> </tbody> </table>		df	F	p-value	MeanRF	1	0.045	0.832	MeanTA	1	0.649	0.421	Alt	1	0.046	0.830		edf	Ref.df	F	p-value	s(Lat,Lon)	10.72	14.38	1.297	0.191																																																																																														
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			<pre>--- Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1 Residual standard error: 0.4188 on 102 degrees of freedom Multiple R-squared: 0.2522, Adjusted R- squared: 0.1055 F-statistic: 1.72 on 20 and 102 DF, p- value: 0.04175</pre>
GAM Striga density v rice variety	GAM8	<pre>gam2 <- gam(log(AvDen + 1) ~ CV -1 + s(Lat, Lon), data = AD_1, subset = which(R_M_O == "Rice")) anova(gam2)</pre>	<pre>Family: gaussian Link function: identity Parametric Terms: df F p-value CV 21 11.14 <2e-16 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 2 2 0.934 0.396</pre>
Linear model Striga density v density of nearest neighboring field	LM9	<pre>AD_1\$nCat <- as.factor(round(AD_1\$N_dens)) nsummary <- AD_1 %>% group_by(nCat) %>% summarise(avDens = mean(AvDen), se = stderr(AvDen)) lm3 <- lm(log(AvDen + 1) ~ N_dens, data = AD_1) anova(lm3)</pre>	<pre>Analysis of Variance Table Response: log(AvDen + 1) Df Sum Sq Mean Sq F value Pr(>F) N_dens 1 1.679 1.67911 9.0152 0.002958 ** Residuals 242 45.073 0.18625 --- Call: lm(formula = log(AvDen + 1) ~ N_dens, data = AD_1) Residuals: Min 1Q Median 3Q Max -0.75064 -0.34077 -0.01308 0.25523 1.10064 Coefficients: Estimate Std. Error t value Pr(> t) (Intercept) 0.44773 0.04573 9.792 < 2e-16 *** N_dens 0.11725 0.03905 3.003 0.00296 ** --- Residual standard error: 0.4316 on 242 degrees of freedom Multiple R-squared: 0.03592, Adjusted R- squared: 0.03193 F-statistic: 9.015 on 1 and 242 DF, p- value: 0.002958</pre>
GAM Striga density v density of nearest neighboring field	GAM9	<pre>gam3 <- gam(log(AvDen + 1) ~ N_dens + s(Lat, Lon), data = AD_1) anova(gam3)</pre>	<pre>Family: gaussian Link function: identity Parametric Terms: df F p-value N_dens 1 10.91 0.0011 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 4.608 6.045 1.311 0.253</pre>
Linear model Striga density v pH and NO3	Lm10	<pre>nutrData\$FN <- as.factor(nutrData\$FN) model <- lmer(Den ~ pH + NO3 + (1 FN), data = nutrData) summary(model)</pre>	<pre>Linear mixed model fit by REML. t-tests use Satterthwaite's method ['lmerModLmerTest'] Formula: Den ~ pH + NO3 + (1 FN) Data: nutrData REML criterion at convergence: 389.7 Scaled residuals: Min 1Q Median 3Q Max -1.4520 -0.7703 -0.1183 0.7171 1.8717 Random effects: Groups Name Variance Std.Dev. FN (Intercept) 0.3169 0.5629 Residual 2.1968 1.4822</pre>

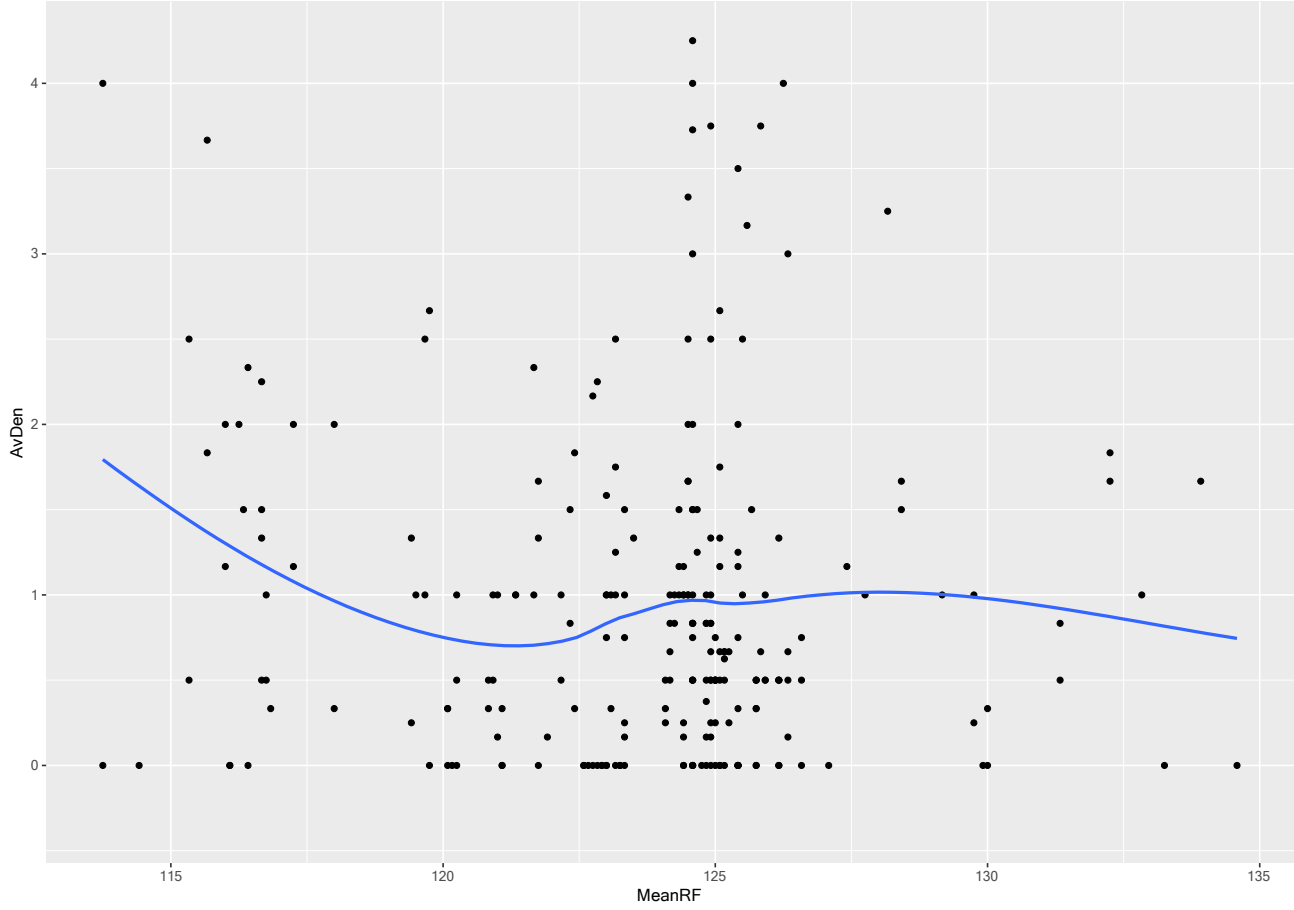
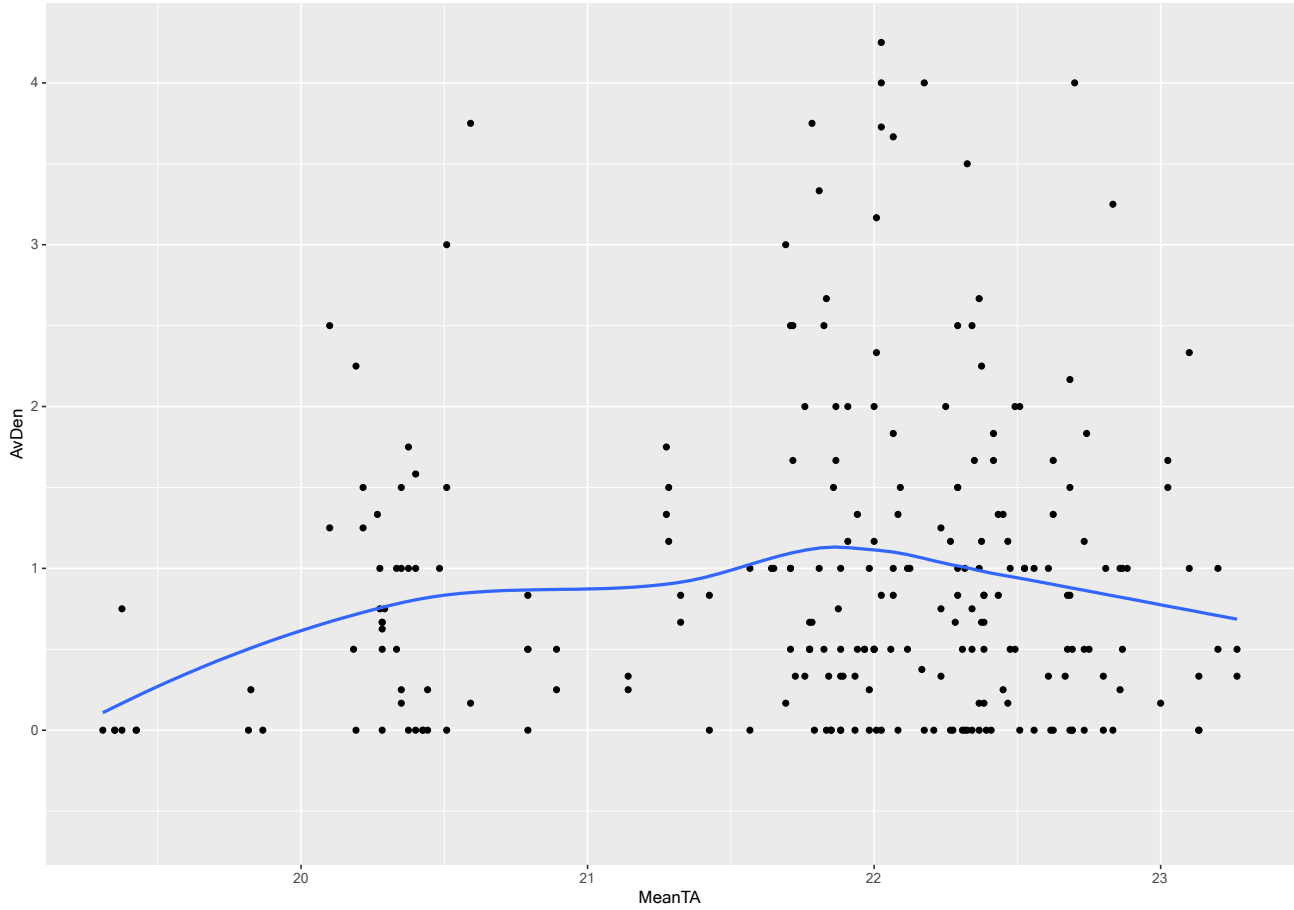
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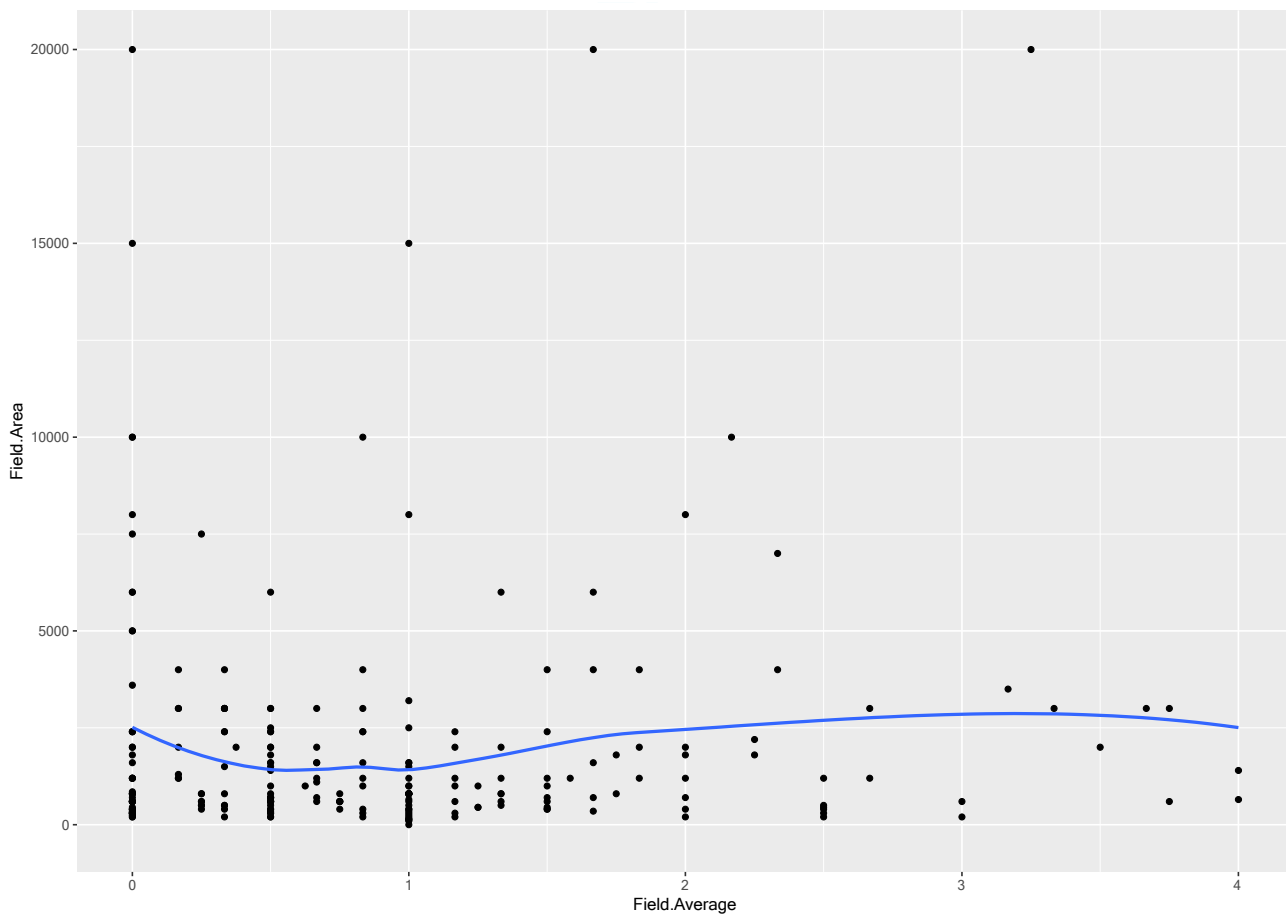
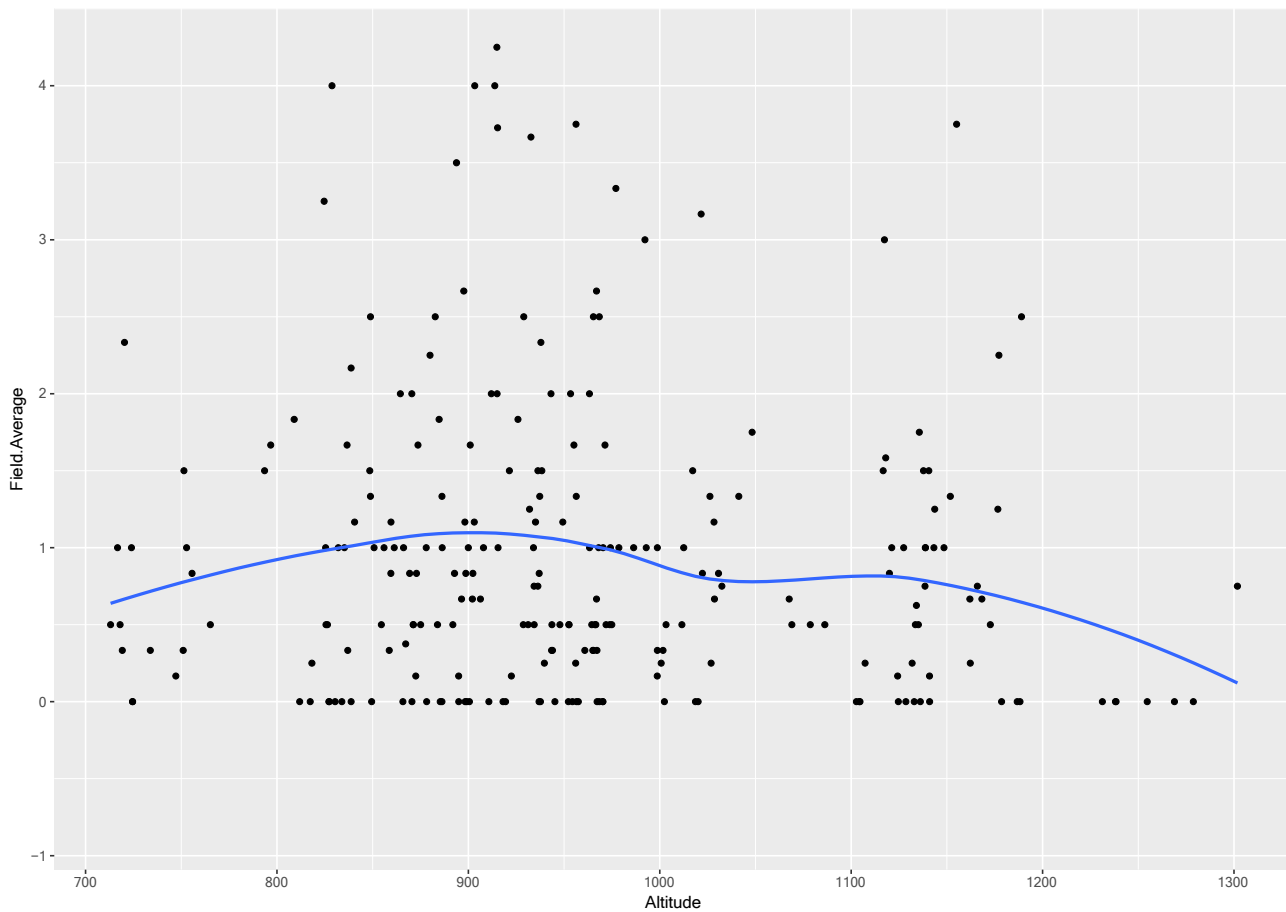
			<pre> CCMaize, balahazo 0.47971 0.30405 1.578 0.117581 CCMimosa 0.54219 0.14264 3.801 0.000240 CCNiebe 0.04795 0.42896 0.112 0.911211 CCSoya 0.48501 0.16442 2.950 0.003906 CCSoya, voanjobory, balahazo -0.04726 0.43993 -0.107 0.914659 CCStylosanthes 0.65162 0.30707 2.122 0.036140 CCTsaramaso 1.41963 0.43421 3.269 0.001450 CCTsy asisa 0.80957 0.43116 1.878 0.063153 CCVoanjobory 0.51947 0.17553 2.959 0.003795 CCVoanjolava 0.57283 0.20209 2.834 0.005489 CCVoanjolava, balahazo 0.50922 0.43426 1.173 0.243563 CCVoanzobory 0.53340 0.42897 1.243 0.216417 CCVoatavo, voanjobory 0.78297 0.30956 2.529 0.012887 CCBalahazo *** CCBalahazo, mimosa . CCBalahazo, soya . CCBalahazo, voanjobory ** CCBalahazo, voanjolava *** CCMaize *** CCMaize, balahazo . CCMimosa *** CCNiebe . CCSoya ** CCSoya, voanjobory, balahazo * CCStylosanthes . CCTsaramaso ** CCTsy asisa . CCVoanjobory ** CCVoanjolava ** CCVoanjolava, balahazo . CCVoanzobory . CCVoatavo, voanjobory * --- Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1 Approximate significance of smooth terms: edf Ref.df F p-value s(Lat,Lon) 4.071 5.331 0.88 0.493 R-sq.(adj) = -0.0257 Deviance explained = 68% GCV = 0.22042 Scale est. = 0.1813 n = 130 </pre>
Pearson's chi-squared test for independence for Main crop v companion crop	X ² 1	chisq.test(AD_1\$R_M_O,AD_1\$CC)	<pre> Pearson's Chi-squared test data: AD_1\$R_M_O and AD_1\$CC X-squared = 137.08, df = 19, p-value < 2.2e-16 </pre>
Pearson's chi-squared test for independence for Main crop v previous crop	X ² 2	chisq.test(AD_1\$R_M_O,AD_1\$PC)	<pre> Pearson's Chi-squared test data: AD_1\$R_M_O and AD_1\$PC X-squared = 34.394, df = 18, p-value = 0.01126 </pre>
Cramer's V test to test for the strength of any observed associations	C1	CramerV(AD_1\$R_M_O,AD_1\$PC)	0.7770854

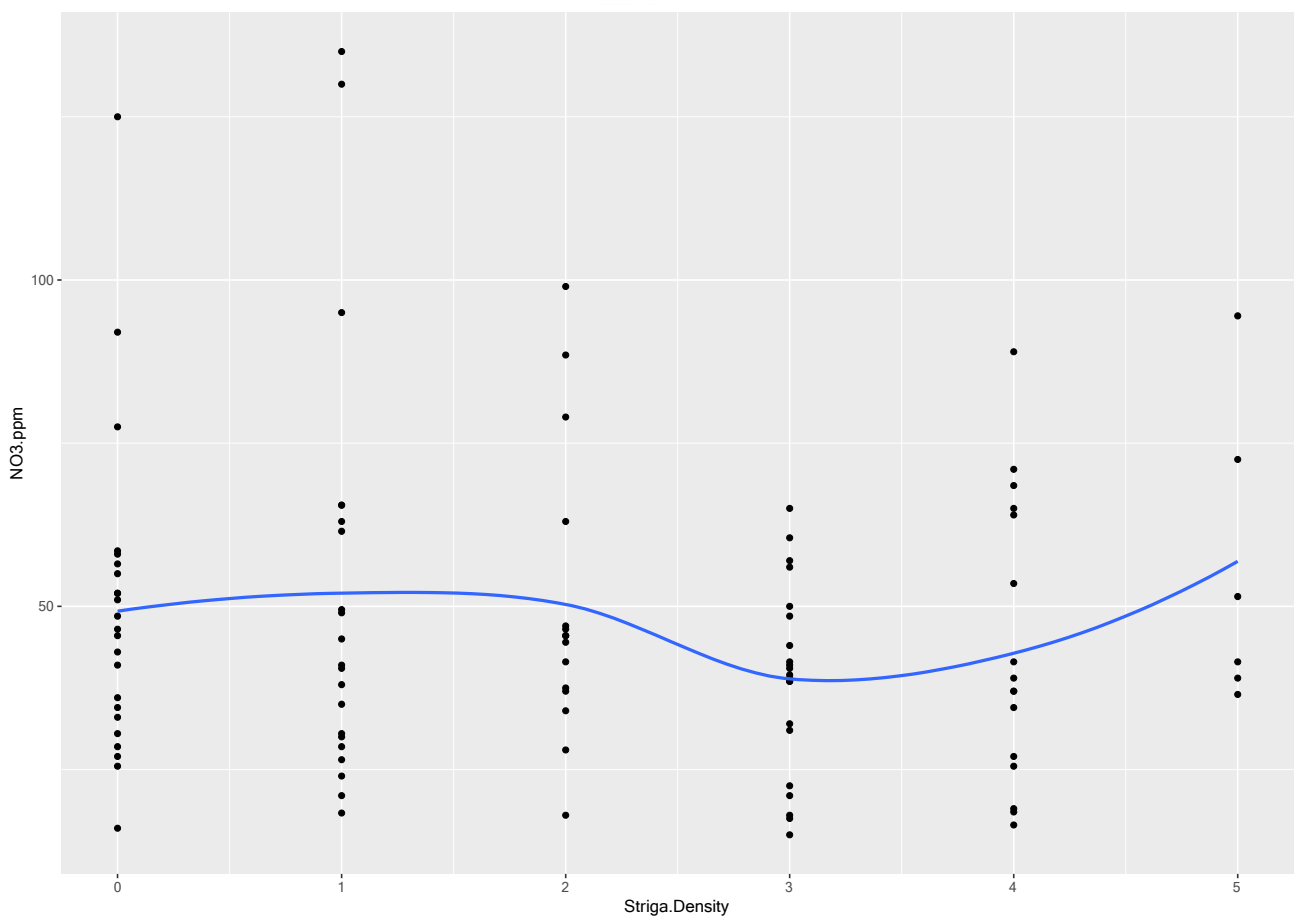
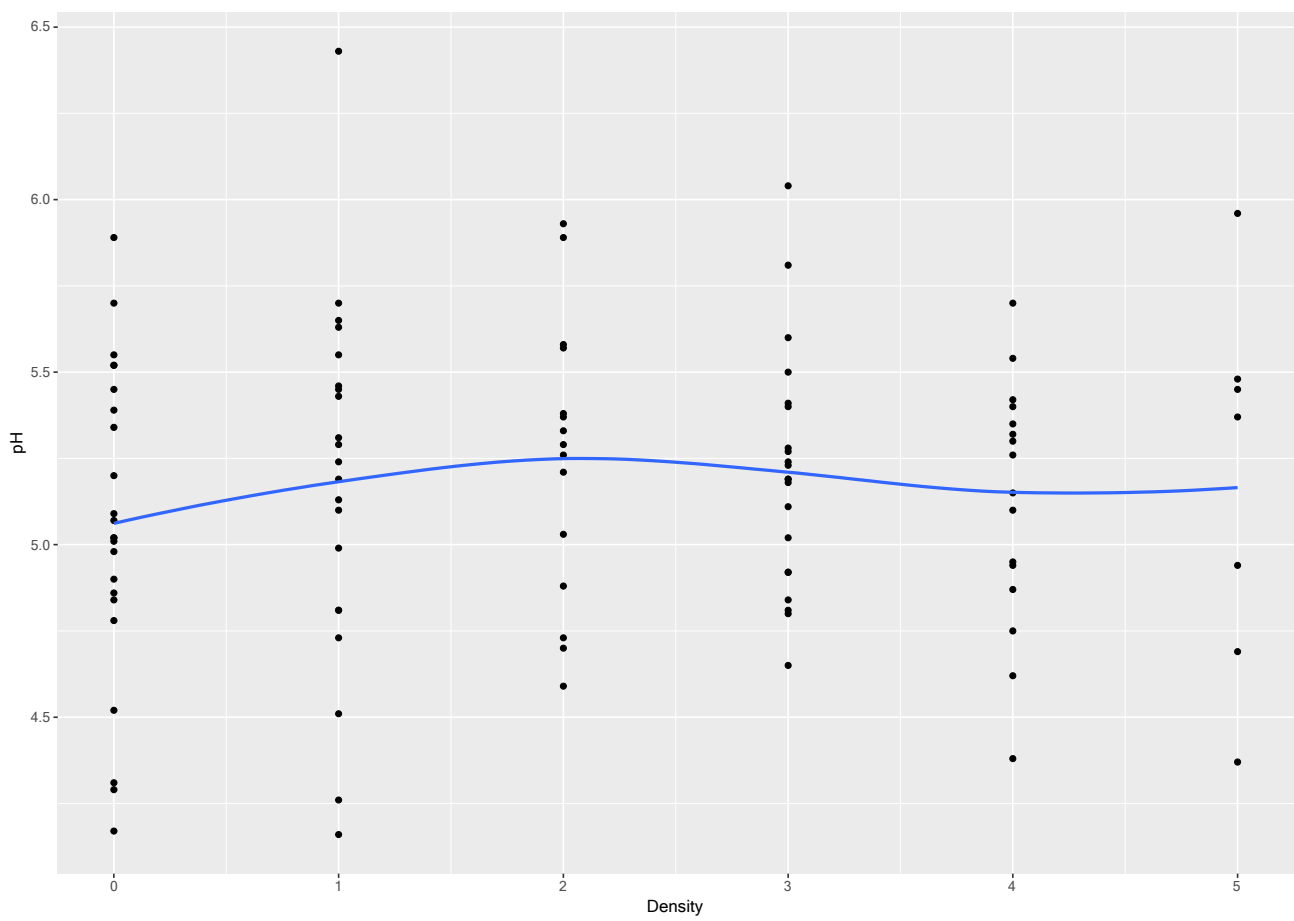
from χ^2 test.			
Cramer's V test to test for the strength of any observed associations from χ^2 test.	C2	CramerV(AD_1\$R_M_O,AD_1\$CC)	0.4433248

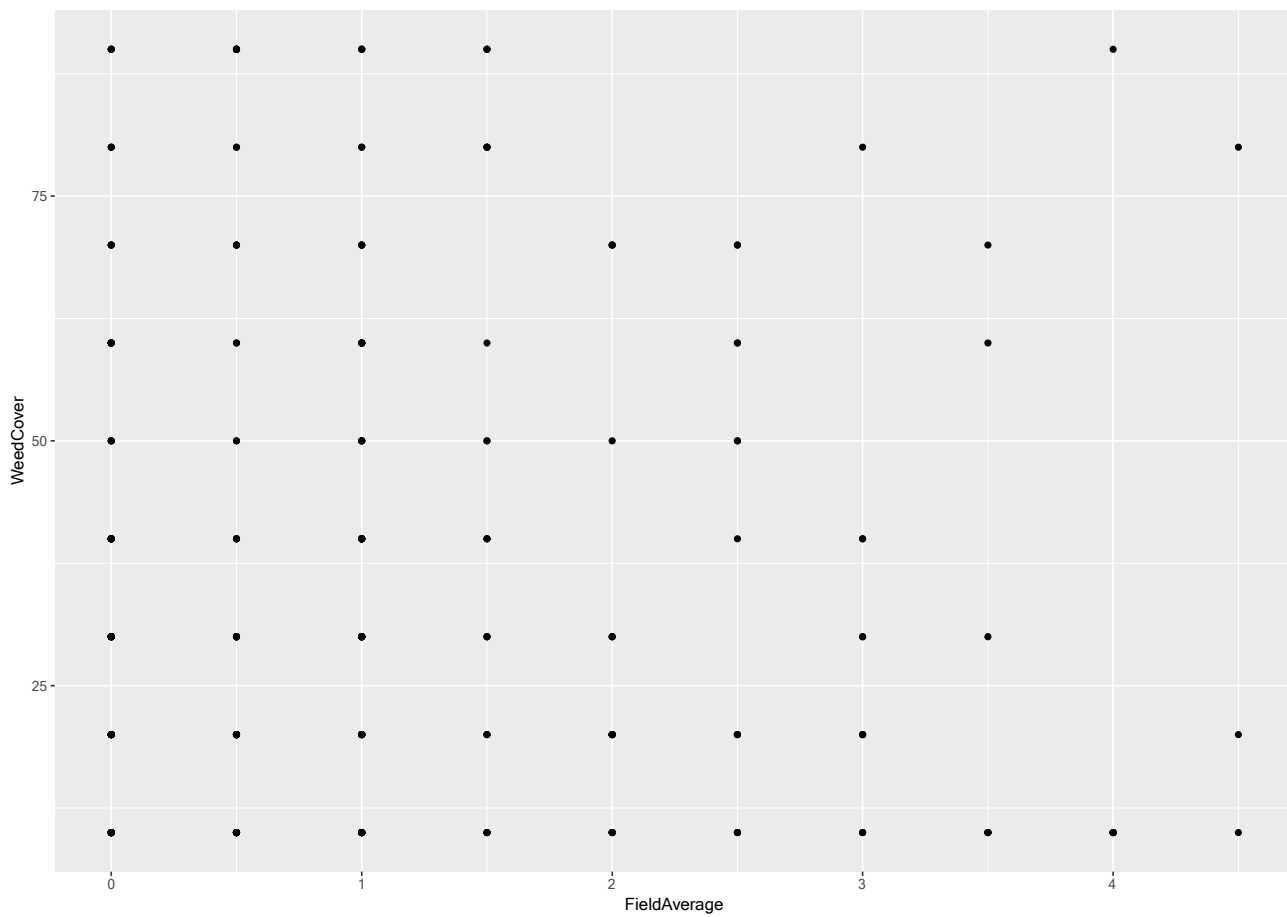
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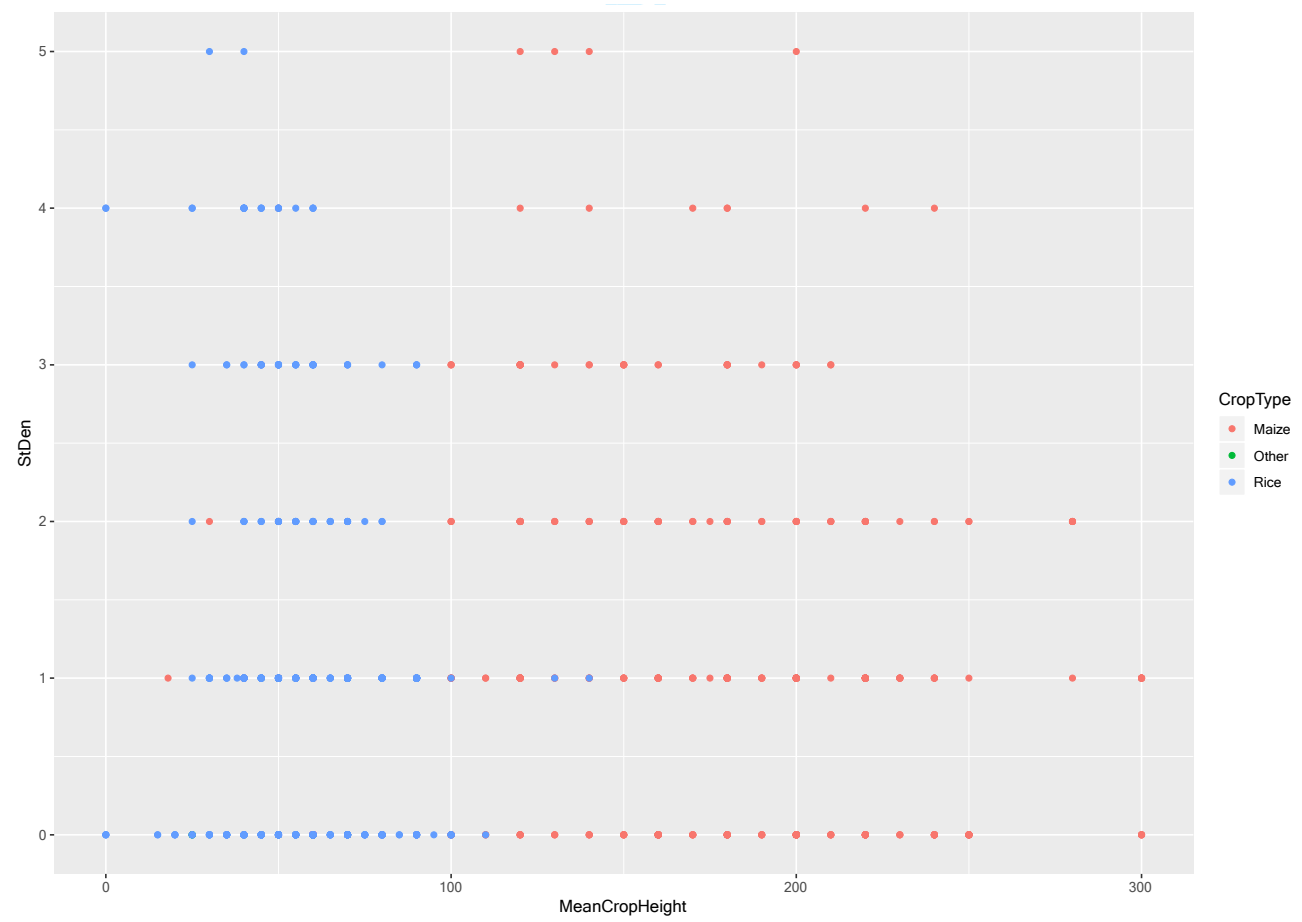
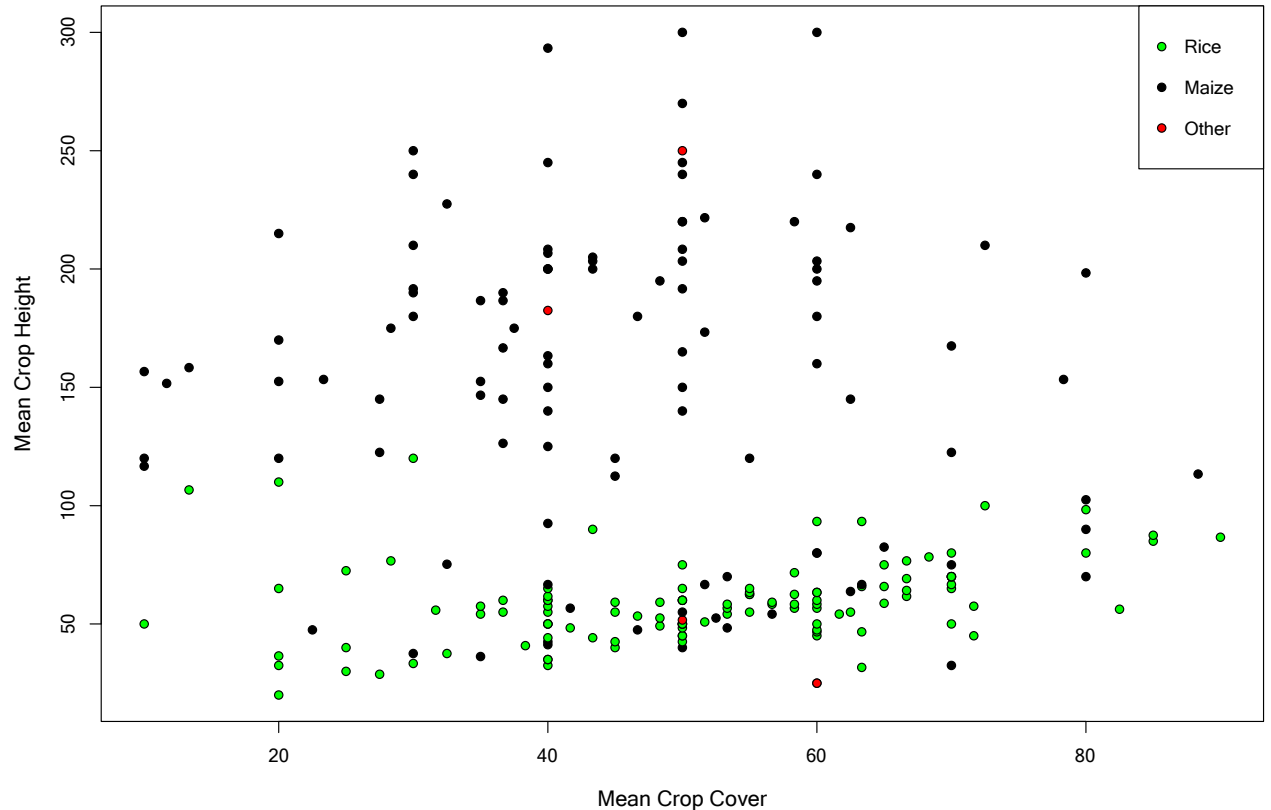
Appendix 2: Scatterplots and boxplots for models











Appendix 3: Soil sample (pH and NO₃) pairs collected within fields containing differing *Striga* densities.

Striga density Pair	Count
1:0	5
1:2	3
1:3	11
1:4	2
1:5	0
2:0	3
2:3	3
2:4	4
2:5	2
3:0	3
3:4	3
3:5	1
4:0	3
4:5	4
5:0	0
Zero density (single samples)	10
Total	104

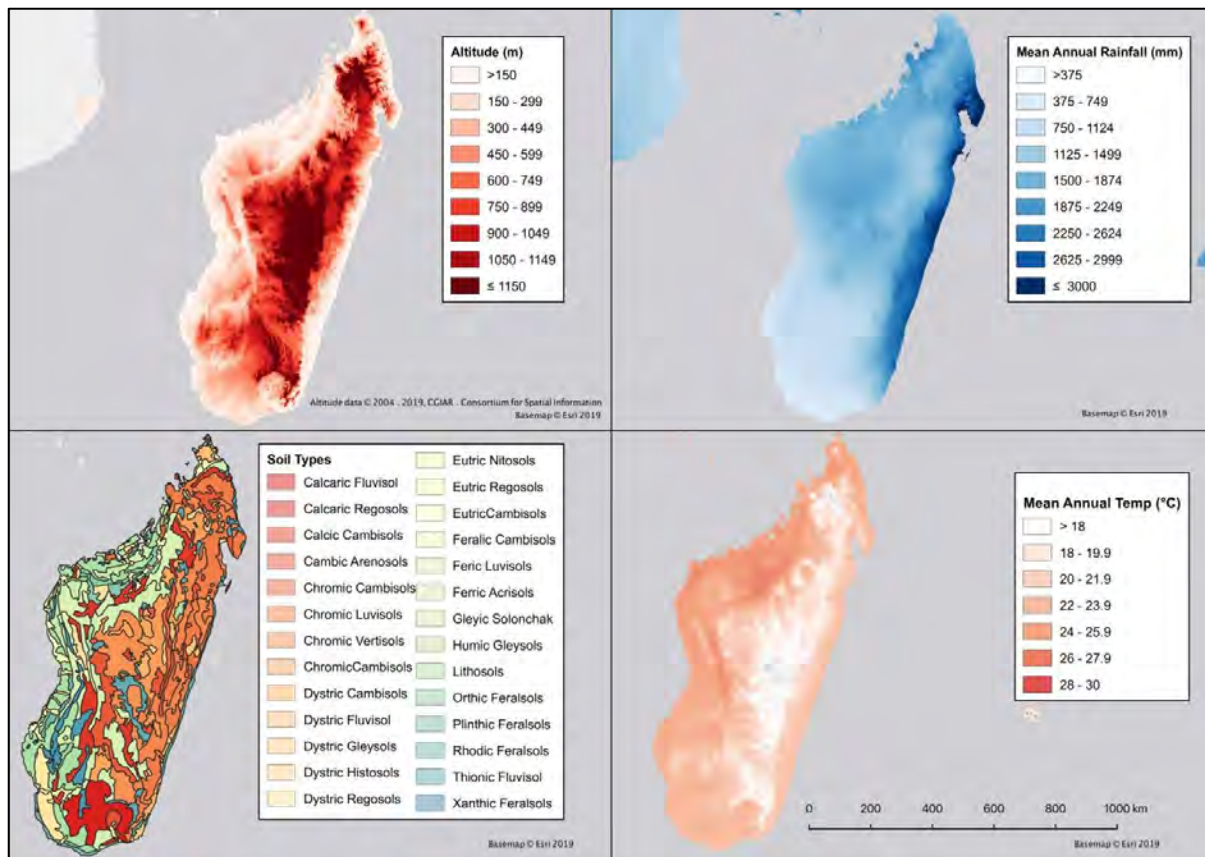


Fig. 1. Altitude (CGIAR-CSI 2019), mean annual rainfall (Fick and Hijmans, 2017), soil types (FAO 2007) and mean annual temperature (Fick and Hijmans, 2017), for Madagascar.

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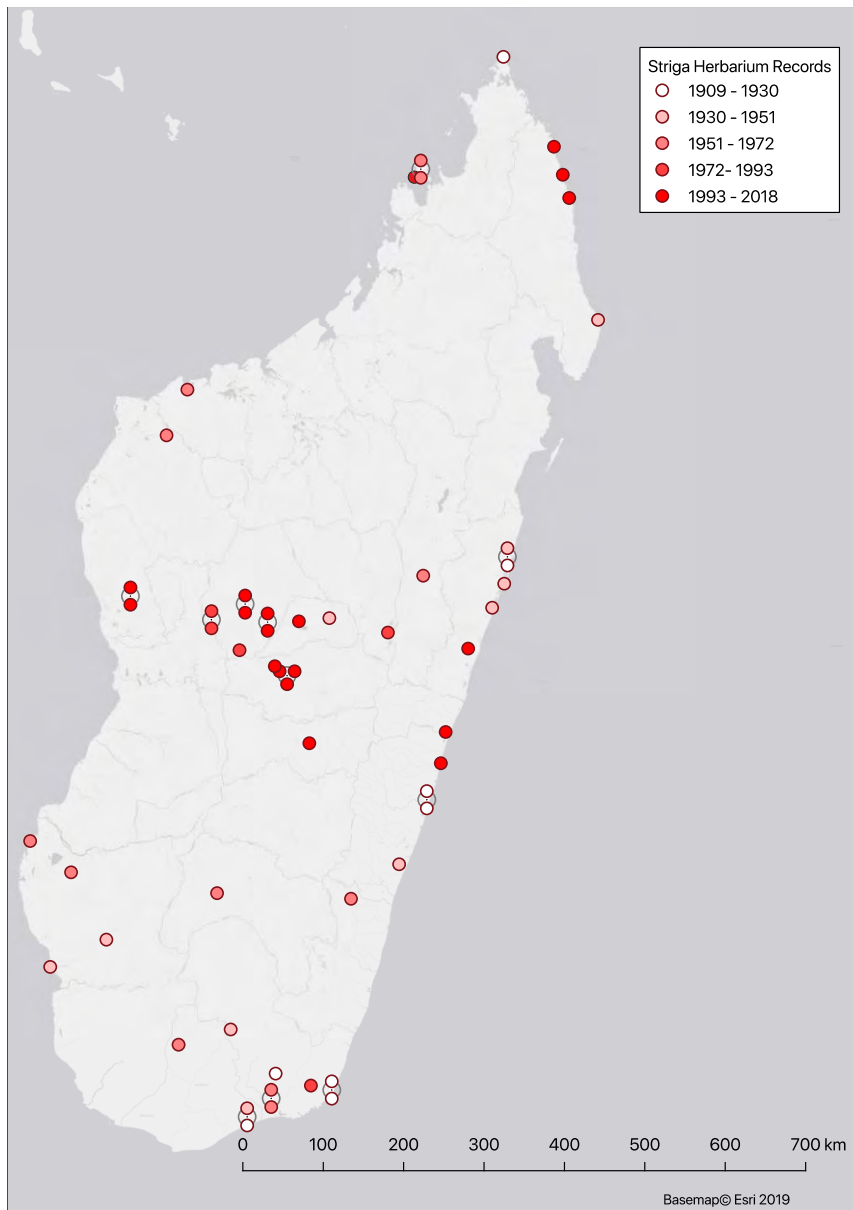


Fig. 2. Herbarium records for *Striga asiatica*. Data from Rodenburg et al (2016).

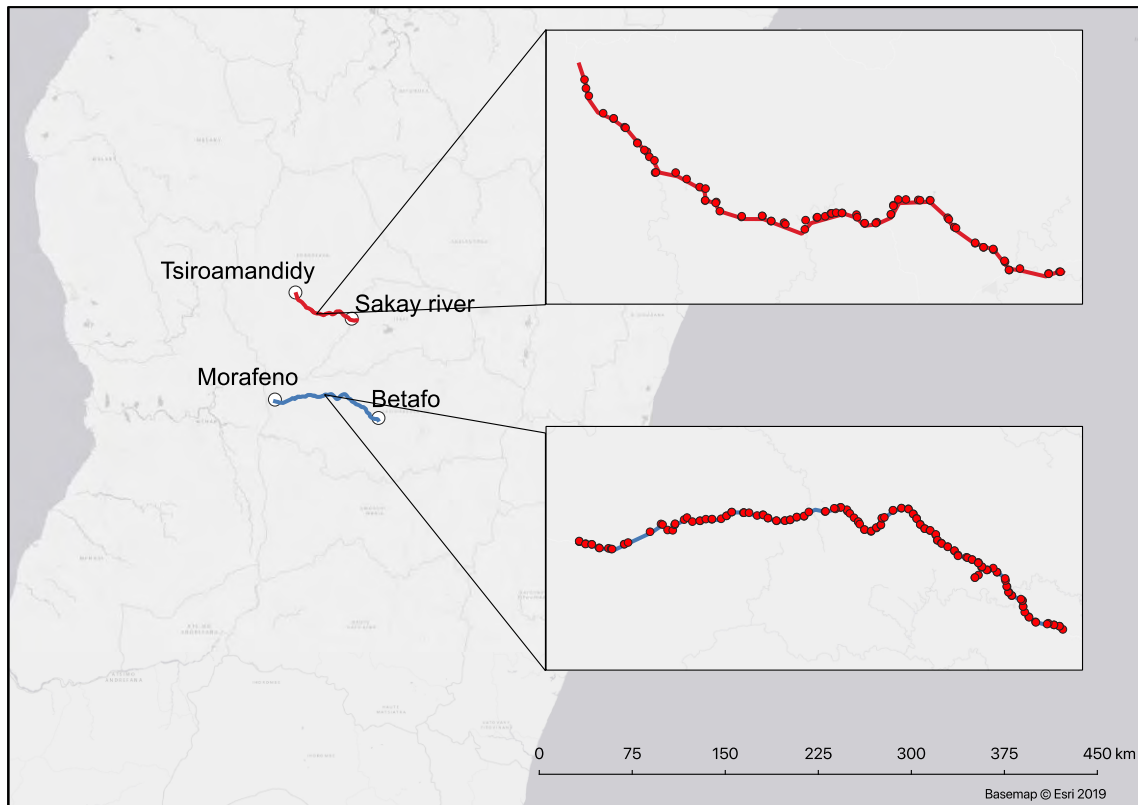


Fig. 3. Location of transects T1 and T2, located within Vakinankaritra, Itasy and Bongolava provinces in the mid-west of Madagascar.

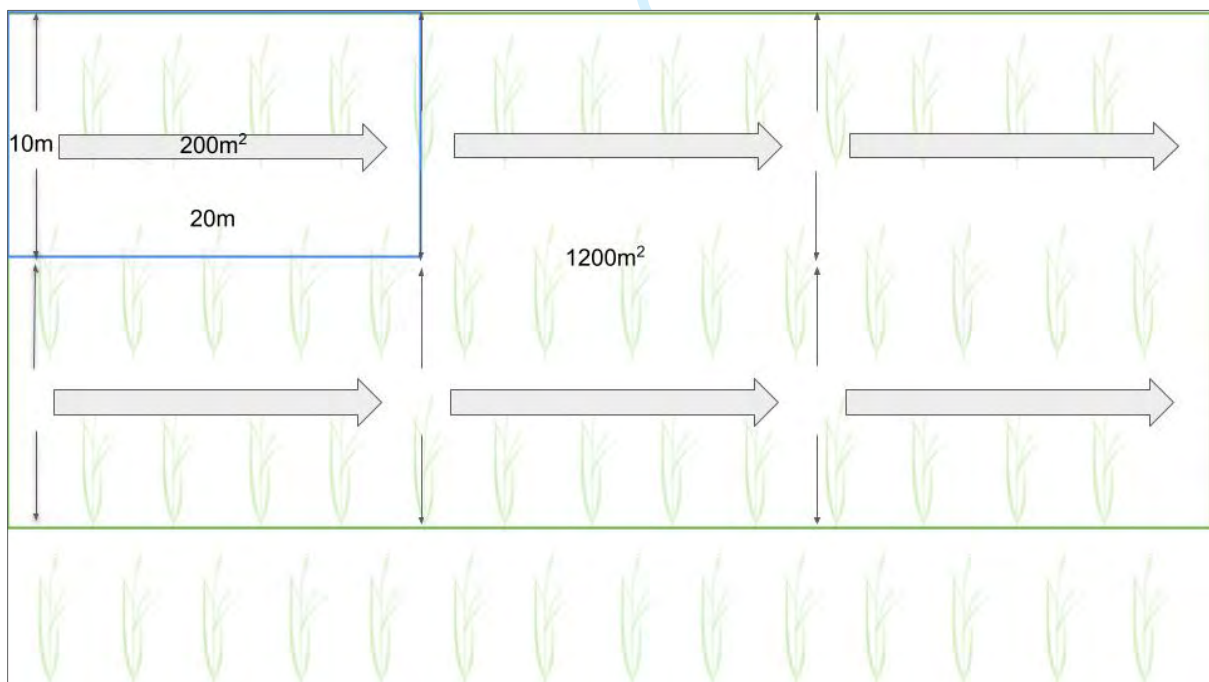


Fig. 4. Illustration of field walking process for two observers, with subdivisions of field into sections for estimation of *Striga* density.

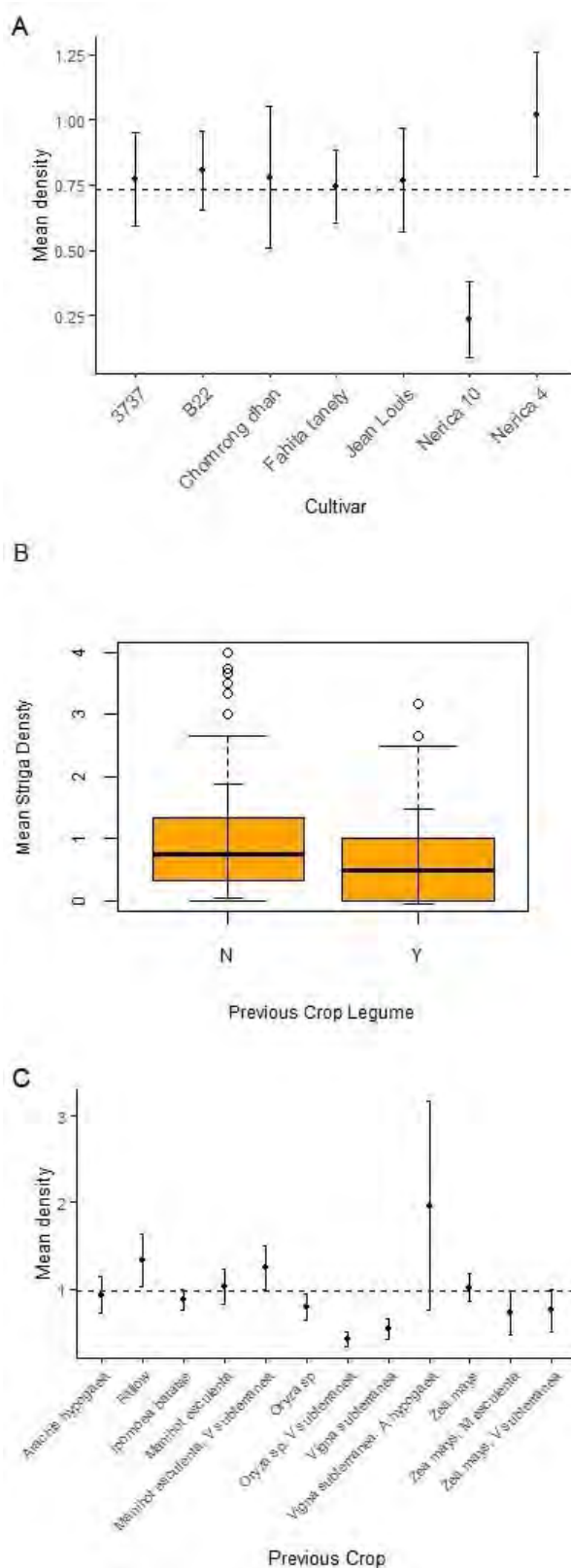


Fig. 5., A: Mean *Striga* density for principle rice varieties with standard errors and grand mean (dashed line), (3737 n=4, B22 n=28, Chomrong dhan n=11, Fahita tanety n=27, Jean Louis n=25, NERICA-10 n=8, NERICA- 4 n=28), B: Mean *Striga* density for previous crop type with standard errors (legume n=65 / non-legume n=120) & C: Mean *Striga* density for previous crop / crop varieties recorded with standard errors and grand mean (dashed line), (*Arachis hypogaea* n=18, Fallow n=14, *Ipomoea batatas* n=4, *Manihot esculenta* n=25, *Manihot*

esculenta, *V subterranea* n=2, *Oryza sp* n=34, *Oryza sp*, *V subterranea* n=2, *Vigna subterranea* n=35, *Vigna subterranea*, *A hypogaea* n=2, *Zea mays* n=34, *Zea mays*, *M esculenta* n=7) . Analyses indicated significant effects of rice variety, if the previous crop was leguminous and previous crop / crop combination.

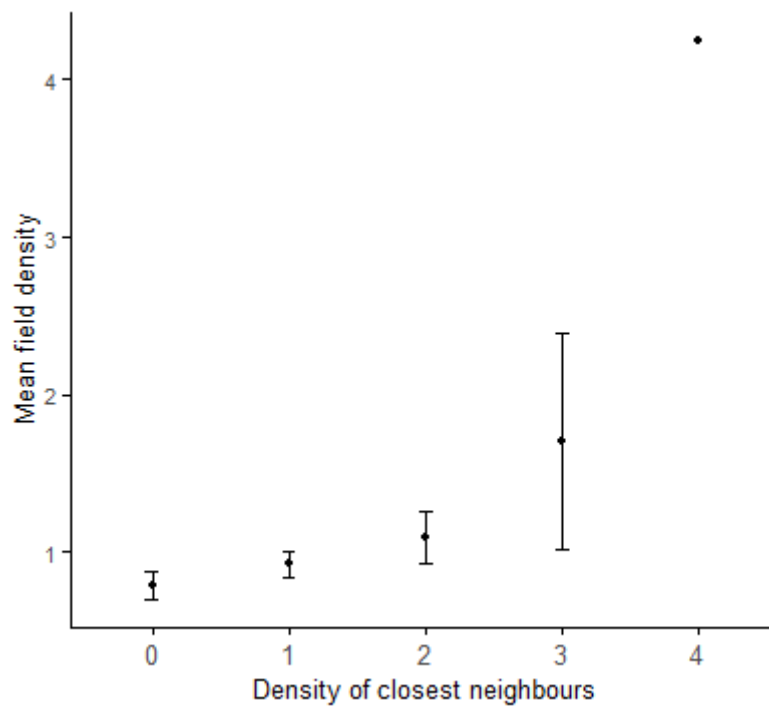


Fig.6. Mean *Striga* density and density of closest neighbouring fields. The effect of density in neighbouring fields on within-field mean *Striga* density was significant for both the linear model and GAM.